Rar.
1969

Rar. 1969

2. Exc.

Fabulae

Neue Vervollkommnung

zur

Fertigkeit

im

Uebersetzen

aus

dem Lateinischen

in

das Deutsche.

8 150 | 2316

MÜNCHEN
STAATSBIBLIOTHEK

Bayerische
Staatsbibliothek
MÜNCHEN

München
Staatsbibliothek

ـــــــ

3 ml 6 mm 1 mc mc ml : ml 1 mc

(1) $\frac{\text{ml}^2}{\text{mc}^2} \times \frac{\text{mm}^2}{\text{ml}^2} \div \frac{\text{mc}^2}{\text{mm}^2}$ ml/mc, ml mc ml mc ml mc

ہے کہ ہر ایک مثلث کا رقبہ اس کے ارتفاع اور قاعدہ کے ضرب دینے سے نصف ہوتا ہے۔ —

اگر ایک مثلث کا ارتفاع اور قاعدہ دوسری مثلث کے ارتفاع اور قاعدہ کے برابر ہو تو دونوں مثلثوں کا رقبہ برابر ہوتا ہے۔ —

اگر ایک مثلث کا ارتفاع اور قاعدہ دوسری مثلث کے ارتفاع اور قاعدہ کے ضرب دینے سے نصف ہوتا ہے۔ —

اگر ایک مثلث کا ارتفاع اور قاعدہ دوسری مثلث کے ارتفاع اور قاعدہ کے ضرب دینے سے نصف ہوتا ہے۔ —

اگر ایک مثلث کا ارتفاع اور قاعدہ دوسری مثلث کے ارتفاع اور قاعدہ کے ضرب دینے سے نصف ہوتا ہے۔ —

اگر ایک مثلث کا ارتفاع اور قاعدہ دوسری مثلث کے ارتفاع اور قاعدہ کے ضرب دینے سے نصف ہوتا ہے۔ —

16.

B.

1	2	2	2
1	3	3	3
1	4	4	4
1	5	5	5
1	6	6	6
1	7	7	7
1	8	8	8
1	9	9	9
1	10	10	10
1	11	11	11
1	12	12	12
1	13	13	13
1	14	14	14
1	15	15	15
1	16	16	16
1	17	17	17
1	18	18	18
1	19	19	19
1	20	20	20
1	21	21	21
1	22	22	22
1	23	23	23
1	24	24	24

...	...	...	...
...	...	...	...
...	...	...	...

... ...	... ...	... ...	... ...

...	...	...	...
...	...	...	...
...	...	...	...

1861. Mai.	1861. Juni.	1861. Juli.	1861. Aug.
1	1	1	1
2	2	2	2
3	3	3	3
4	4	4	4
5	5	5	5
6	6	6	6
7	7	7	7
8	8	8	8
9	9	9	9
10	10	10	10
11	11	11	11
12	12	12	12
13	13	13	13
14	14	14	14
15	15	15	15
16	16	16	16
17	17	17	17
18	18	18	18
19	19	19	19
20	20	20	20
21	21	21	21
22	22	22	22
23	23	23	23
24	24	24	24
25	25	25	25
26	26	26	26
27	27	27	27
28	28	28	28
29	29	29	29
30	30	30	30
31		31	31
Apr. Aug.	Apr. Aug.	Apr. Aug.	Apr. Aug.
1861. Sept.	1861. Okt.	1861. Nov.	1861. Dec.

Ein Jahr hat 365 Tage, 5 Stunden, 48 Minuten, 49 Secunden.

Ap. d.2	Ap. b.2	Ap. b.2	Ap. b.2
e1 b^c ...	eA^2 ...	$\frac{e}{2}$ // ...	2 $\frac{5}{2}$ ...
e9 b^c ...	eA^2 ...	$\frac{e}{2}$ // ...	2 $\frac{5}{2}$ ...
e1 b^c ...	eA^2 ...	$\frac{e}{2}$ // ...	2 $\frac{5}{2}$ ...
e c b^c ...	eA^2 ...	$\frac{e}{2}$ // ...	2 $\frac{5}{2}$ ...
1 $\frac{5}{2}$ ...	2 ...	// ...	$\frac{5}{2}$ ...
1 $\frac{5}{2}$ ...	2 ...	// ...	$\frac{5}{2}$ ...
1 $\frac{5}{2}$ ...	2 ...	// ...	$\frac{5}{2}$ ...
1 $\frac{5}{2}$ ...	2 ...	// ...	$\frac{5}{2}$ ...
1 $\frac{5}{2}$ ...	2 ...	// ...	$\frac{5}{2}$ ...
1 $\frac{5}{2}$ ...	2 ...	// ...	$\frac{5}{2}$ ...
1 $\frac{5}{2}$ ...	2 ...	// ...	$\frac{5}{2}$ ...
Ap. e.2	Ap. a.2	Ap. a.2	Ap. a.2
b $\frac{5}{2}$ ...	e 2 ...	// ...	e $\frac{5}{2}$ ...
b $\frac{f}{2}$ ...	h $\frac{5}{2}$ ...	h // ...	h $\frac{5}{2}$ ...
b E ...	c 2 ...	c // ...	c $\frac{5}{2}$ ...
b^c ...	1 2 ...	1 // ...	1 $\frac{5}{2}$ ...
b $\frac{g}{2}$ ...	g 2 ...	g // ...	g $\frac{5}{2}$ ...
b^f ...	1 2 ...	1 // ...	1 $\frac{5}{2}$ ...
Ap. b.2	$\frac{1}{2}$ Ap. a.2	$\frac{1}{2}$ Ap. a.2	$\frac{1}{2}$ Ap. a.2
Ad. f. ent.	Ad. Pe.	Ad. Kd.	Ad. d. Pe.

٢٠٠٠	١٤٠٠	٨٠٠	٤٠٠
١٠٠٠	٧٠٠	٤٠٠	٢٠٠
٨٠٠	٥٦٠	٣٢٠	١٦٠
٦٠٠	٤٢٠	٢٤٠	١٢٠
٤٠٠	٢٨٠	١٦٠	٨٠
٣٠٠	٢١٠	١٢٠	٦٠
٢٤٠	١٦٨	٩٦	٤٨
٢٠٠	١٤٠	٨٠	٤٠
١٦٠	١١٢	٦٤	٣٢
١٢٠	٨٤	٤٨	٢٤
١٠٠	٧٠	٤٠	٢٠
٨٠	٥٦	٣٢	١٦
٦٠	٤٢	٢٤	١٢
٤٠	٢٨	١٦	٨
٣٠	٢١	١٢	٦
٢٤	١٦٨	٩٦	٤٨
٢٠	١٤٠	٨٠	٤٠
١٦	١١٢	٦٤	٣٢
١٢	٨٤	٤٨	٢٤
١٠	٧٠	٤٠	٢٠
٨	٥٦	٣٢	١٦
٦	٤٢	٢٤	١٢
٤	٢٨	١٦	٨
٣	٢١	١٢	٦
٢	١٤	٨	٤
١	٧	٤	٢

۱۰۰۰	۱۰۰۰	۱۰۰۰	۱۰۰۰

C.

$$\int \frac{dx}{\sqrt{(x^2+px+q)}}$$

x^2+px+q soll ein Quadrat $=(x+\alpha)^2$ werden.

$x^2+px+q=x^2+2\alpha x+\alpha^2$

$p=2\alpha$, $q=\alpha^2$, $\alpha=\frac{p}{2}$, $q=\frac{p^2}{4}$

$$\int \frac{dx}{\sqrt{(x^2+px+q)}} = \int \frac{dx}{\sqrt{(x+\alpha)^2}} = \int \frac{dx}{x+\alpha}$$

$x+\alpha=z$, $dx=dz$

$$\int \frac{dz}{z} = \log z = \log(x+\alpha) = \log\left(x+\frac{p}{2}\right)$$

D.

$$\int \frac{dx}{\sqrt{(x^2+px+q)}}$$

x^2+px+q soll ein Quadrat $=(x+\alpha)^2$ werden.

$x^2+px+q=x^2+2\alpha x+\alpha^2$

$p=2\alpha$, $q=\alpha^2$, $\alpha=\frac{p}{2}$, $q=\frac{p^2}{4}$

$$\int \frac{dx}{\sqrt{(x^2+px+q)}} = \int \frac{dx}{\sqrt{(x+\alpha)^2}} = \int \frac{dx}{x+\alpha}$$

$x+\alpha=z$, $dx=dz$

$$\int \frac{dz}{z} = \log z = \log(x+\alpha) = \log\left(x+\frac{p}{2}\right)$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}}}}$$

I.

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}}}}}}}}$$

$$\frac{\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}}}}}}}}}{\sqrt{\frac{1}{2}-\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}+\frac{1}{2}\sqrt{\frac{1}{2}}}}}}}}}}}}}}}}}}}}}}}}}}}}}$$

III.

$$\text{Ex. } \frac{x^2}{a^2} + \frac{y^2}{b^2} = 1 \text{ ist } \dots \quad \text{Ex. } \frac{x^2}{a^2} - \frac{y^2}{b^2} = 1 \text{ ist } \dots$$

$$\text{Ex. } y^2 = 2px \text{ ist } \dots \quad \text{Ex. } y = ax^2 + bx + c \text{ ist } \dots$$

$$\text{Ex. } y = \frac{1}{x} \text{ ist } \dots \quad \text{Ex. } y = \frac{x}{1+x} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{1-x^2} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^2-1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{1+x} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^2+1} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^3} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^3+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^3+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^3+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^3+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^3+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^4} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^4+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^4+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^4+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^4+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^4+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^5} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^5+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^5+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^5+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^5+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^5+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^6} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^6+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^6+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^6+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^6+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^6+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^7} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^7+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^7+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^7+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^7+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^7+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^8} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^8+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^8+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^8+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^8+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^8+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^9} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^9+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^9+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^9+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^9+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^9+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{10}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{10}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{10}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{10}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{10}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{10}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{11}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{11}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{11}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{11}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{11}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{11}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{12}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{12}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{12}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{12}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{12}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{12}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{13}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{13}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{13}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{13}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{13}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{13}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{14}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{14}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{14}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{14}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{14}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{14}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{15}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{15}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{15}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{15}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{15}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{15}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{16}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{16}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{16}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{16}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{16}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{16}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{17}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{17}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{17}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{17}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{17}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{17}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{18}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{18}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{18}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{18}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{18}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{18}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{19}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{19}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{19}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{19}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{19}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{19}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{20}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{20}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{20}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{20}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{20}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{20}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{21}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{21}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{21}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{21}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{21}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{21}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{22}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{22}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{22}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{22}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{22}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{22}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{23}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{23}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{23}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{23}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{23}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{23}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{24}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{24}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{24}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{24}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{24}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{24}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{25}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{25}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{25}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{25}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{25}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{25}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{26}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{26}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{26}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{26}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{26}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{26}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{27}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{27}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{27}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{27}+x^2} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{27}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{27}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{28}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{28}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{28}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{28}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{29}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{29}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{29}+x^2+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{29}+x^2+x+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{30}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{30}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{31}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{31}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{42}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{42}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{43}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{43}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{45}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{45}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{46}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{46}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{48}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{48}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{50}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{50}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{56}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{56}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{57}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{57}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{58}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{58}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{59}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{59}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{61}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{61}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{62}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{62}+1} \text{ ist } \dots$$

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$$\text{Ex. } y = \sqrt{x^{68}} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{68}+1} \text{ ist } \dots$$

$$\text{Ex. } y = \sqrt{x^{68}+x} \text{ ist } \dots \quad \text{Ex. } y = \sqrt{x^{68}+x^2

ثمل يلح ايمر مرحم . 10 < ٢٥ ، ٤ ٢ ١٤٦ ٥ ٦ ٢ ٢ ٢

E.et = elanguet . . . ., E.it = elanguescit, . .
E.at = emendat . . . ., E.itur = eminiscitur, . .
E.ens = evidens . . ., E.Do = emendo (gerund)
Ex.et = exhibet . . . . ., Ex.at = existimat . .,
In.it = incedit . . ., In.it = incessit . . . . .,
I(n).it = intelligit . ., I{m/n}.at = imperat . . .,
IG.it = ignoscit . ., IG.it = ignovit . .,
IG.at = ignorat . ., IG.um = ignotum,
In(te)r.it = intercedit, In(te)r.it = intercessit,
Int(r)o.it = introducit, Int(r)o.it = introduxit,
O(b).it = obdit . . ., O(b).at = oberrat . . .,
P(er).it = perimit, P(er).et = perhibet . .,
P(rae).it = praecipit, P(rae).tat = praetentat,
P(rae).ens = praesens, P(rae).tibus = praesentibus,
P(ro).iit = prodiit, P(ro).et = prohibet . .,
P(ro)E.e = procede! P(ro)es.e = prodesse . .,
R(e).it = relinquit, R(e).et = relanquet . .,
R(e).at = recuperat, R(e).itur = reminiscitur.
S(e).it = secedit . . . ., S(e).um = secretum . .,
Sv(b).(sc)it = subscribit, Sv(b).(sc)i = subscripsi . . .,
Sv(b).(sc)it = subscripsit, S(upr)A.(sc)it = suprascripsit,
S(upr)A.(sc)tus = suprascriptus, S(upr)A.(sc)ta = suprascripta,
T(rans).it = transit . ., T(rans).(sc)it = transscripsit.

[illegible]

/: B. :/

A(bs)C^it... = abscidit..., A(bs)Ci^it... = abscidit...,

/: perfect. a caedo :/ /: perfect. a cado :/

Ac^it... = accidit..., Ac^us... = accisus...,

Ac^it... = accersit..., Ac^at... = accusat...,

A(b)I^it... = abjicit..., A(bs)T(u)^it... = abstulit,

A(d)L^at... = allevat.., A(d)P^at... = approbat,

C(on)D^at... = condensat, C(o)R^emur... = corripiemur,

C(on)Q^it... = conquirit, C(on)Q^it... = conquiescit,

C(ircum)Fv^it... = circumfluit, C(ircum)I^it... = circumjicit,

D(e)S^it... = desinit.., D(e)S^at... = destinat...,

D(i)S^et... = dissuadet, D(i)S^at... = dissociat...,

D(e)M^atur... = demoratur, D(e)F^unt... = deficiunt,

Di(s)C^it... = discernit.., Di(s)P^tat... = disputat,

E.R^at... = eradicat, E.Li^at... = elimat...,

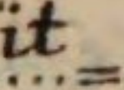
E.F^tat... = effectat.., E.N^itur... = enitiur..,

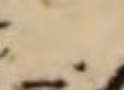
E.xP^it... = expedit.., E.xS^i... = exsequi...,

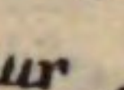
I(n)D^it... = indicit.., I(n)Q^it... = inquirit..,

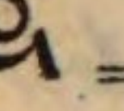
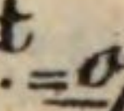
I(nter)D^(x)it... = interdixit, I(nter)Fv^it... = interfuit,

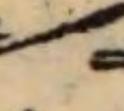
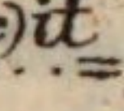
C.

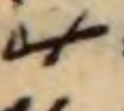
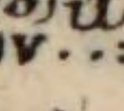
= E(x)L$^{it}_{\ldots}$ = excludit, 
= E(x)V.$^{at}_{\ldots}$ = ejurat..,

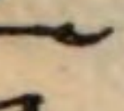
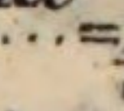
= I(n)B$^{at}_{\ldots}$ = inumbrat, 
= I(n)B$^{tat}_{\ldots}$ = inhabitat,

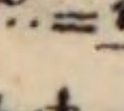
= I(n)V.$^{imur}_{\ldots}$ = inducimur, 
= In(tr)oV.$^{(x)it}_{\ldots}$ = introduxit,

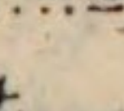

= O(b)G.$^{at}_{\ldots}$ = oppignorat, 
= O(b)Sp.$^{Fit}_{\ldots}$ = obstupefacit,

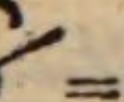
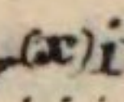

= P(er)V.$^{(x)it}_{\ldots}$ = perduxit, 
= P(er)C(l).$^{atur}_{\ldots}$ = periclitatur,


= P(rae)Lv.$^{(s)it}_{\ldots}$ = praeclusit, 
= P(rae)V.$^{um}_{\ldots}$ = praestitutum,


= P(ro)L.$^{at}_{\ldots}$ = proclamat, 
= P(ru)V.$^{um}_{\ldots}$ = profusum,

= R(e)R$^{it}_{\ldots}$ = reprehendit, 
= R(e)P.$^{(en)tis}_{\ldots}$ = respondentis,

= R(e)G$^{tat}_{\ldots}$ = reagitat, 
= R(e)Pv$^{it}_{\ldots}$ = respicit,


= S(e)V.$^{it}_{\ldots}$ = seducit, 
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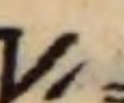
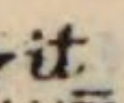
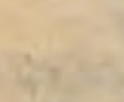
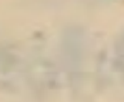
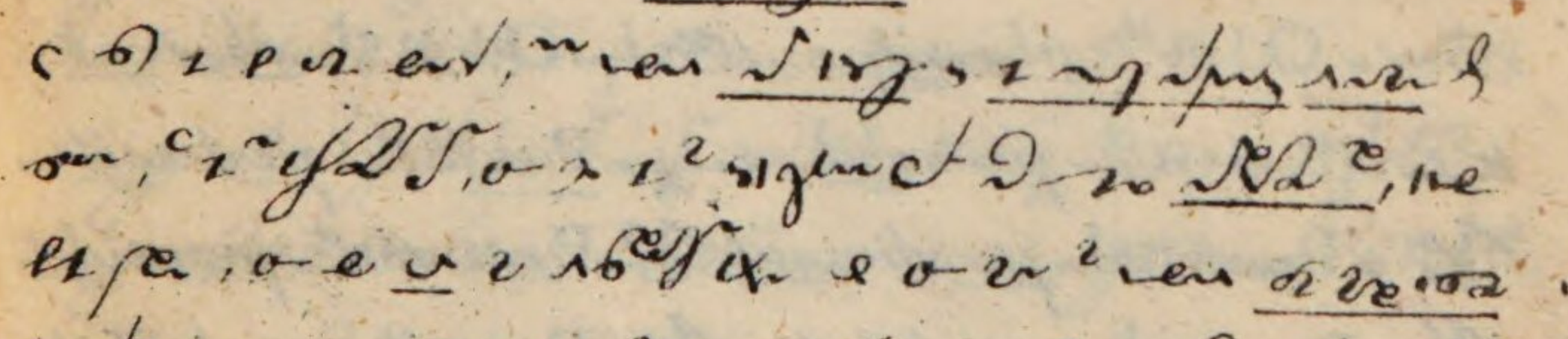
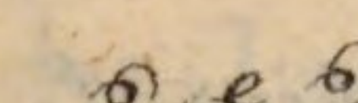

= S(ub)dV.$^{(x)it}_{\ldots}$ = subduxit, 
= S(ub)mo.$^{et}_{\ldots}$ = submovet,


= T(rans)V.$^{it}_{\ldots}$ = transcurrit, 
= T(rans)dV.$^{it}_{\ldots}$ = transduxit.



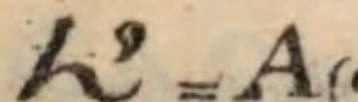
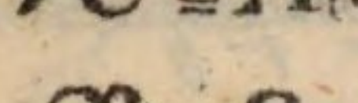
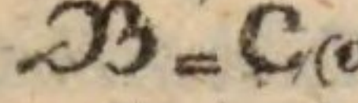
D.

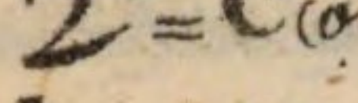

A(b(s)Q^it...=abstergit,
A(b(s)S^it...abstersit...,

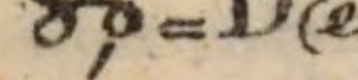
A(d)R^or...=admiror..,
A(d)R^at...=adorat...,

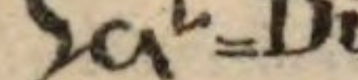
C(on)B^it...=concubuit,
C(on)OL^at...=consolat,

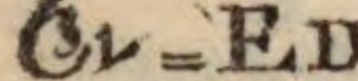
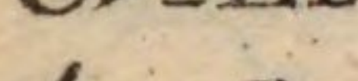
C(on)VL^uit...=consuluit..,
C(on)VC^it...=convalescit,

D(e)uD^at...=denudat..,
D(e)G^it...=demergit..,

DiG^itur...=dilargitur..,
DiD^itur...=digreditur..,

E.D^itur...=egreditur...,
E.GL^at...=evigilat..,

E.xG^tat...=exagitat..,
E.(x)G^it...=extinguit,

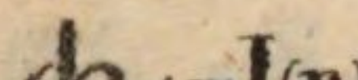
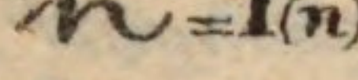
I(n)R^it...=inserit...,
I(n)D^itur...=ingreditur..,

I(nter)R^it...=interserit..,
I(nter)L^at...=interpellat,

O(b)C^(x)at...=obtruncat,
O(b)R^it...=obduruit,

O(b)R^it...=obserit...,
O(b)R^at...=obserat..,

P(er)H^it...=pertrahit,
P(er)S^it...=pertersit..,

P(rae)vN^at...=praedivinat,
P(rae)u)D^et...=praevidet,

P(ro)B^at...=prolibat..,
P(ro)H^it...=protrahit,

R(e)L^et...=replet...,
R(e)pl C^it...=resplendescit,

R(e)L^it...=refellit...,
R(e)R^at...=reserat..,

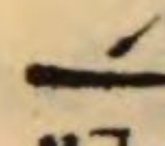
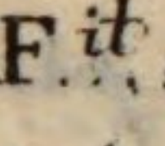
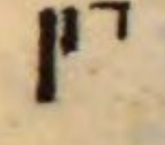
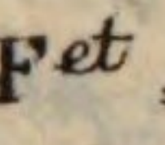
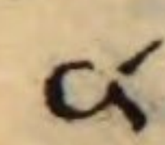
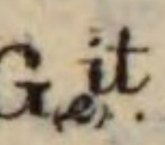
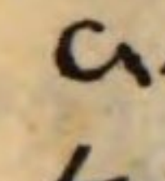
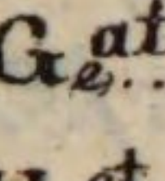
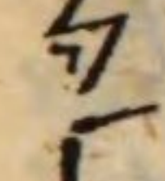
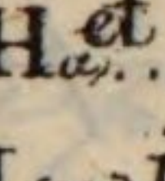
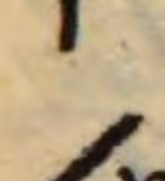
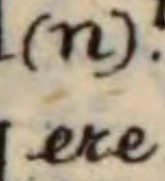
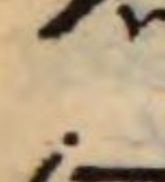
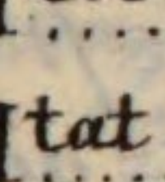
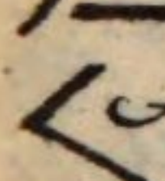
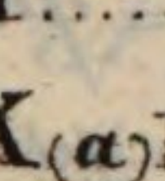
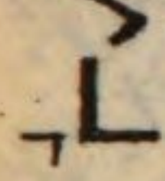
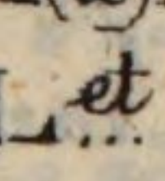
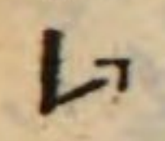
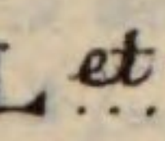
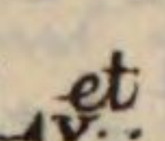
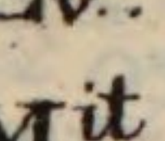
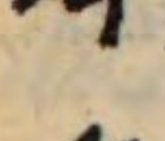
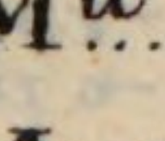
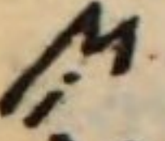
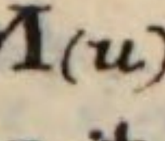
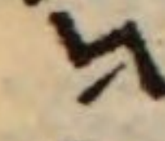
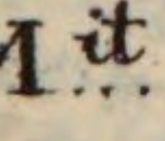
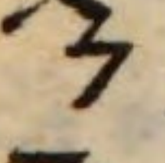
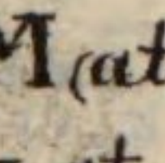
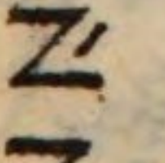
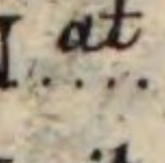
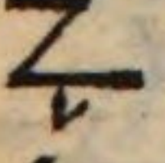
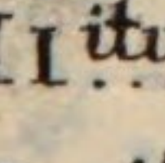
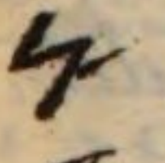
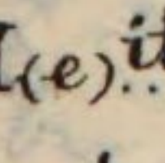
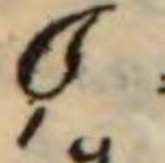
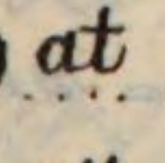
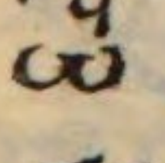
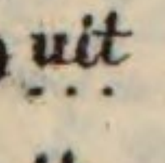
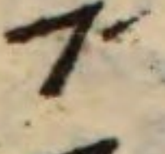
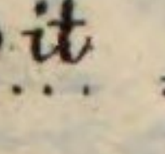
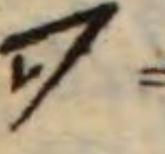
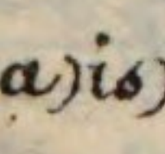
R(e)D^itur...=regreditur..,
R(e)B^it...=recumbit..,

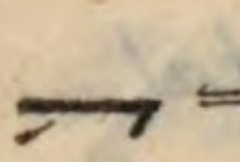
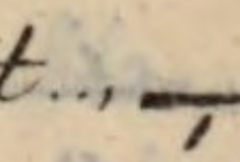
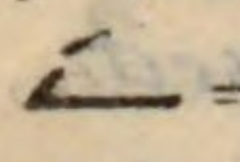
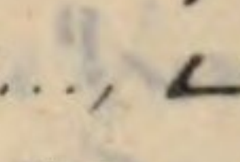
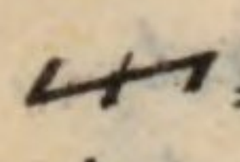
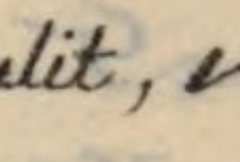
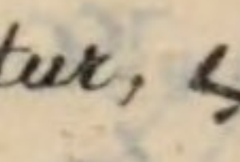
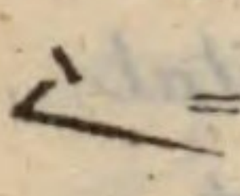
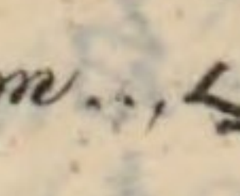
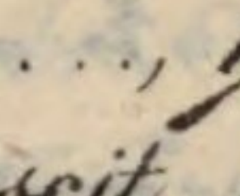
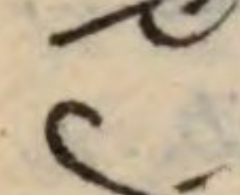
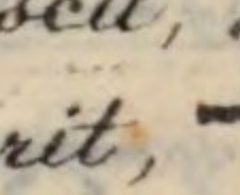
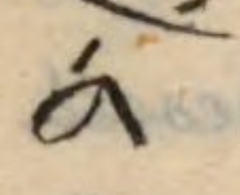
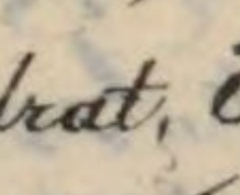
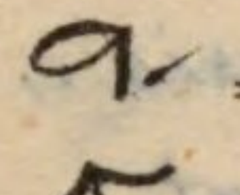
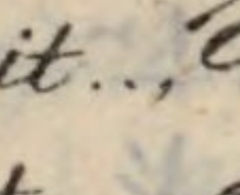
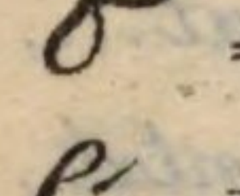
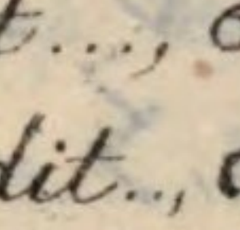
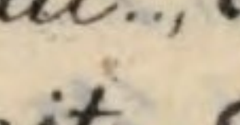
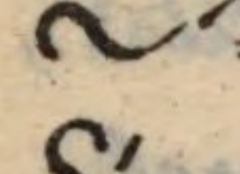
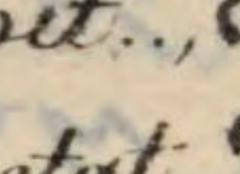
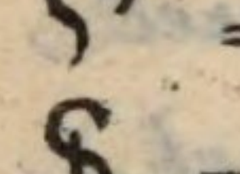
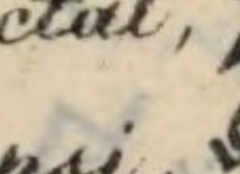
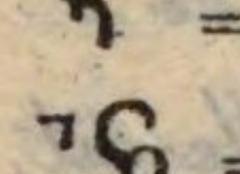
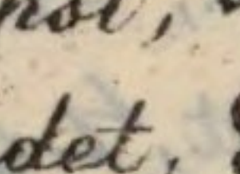
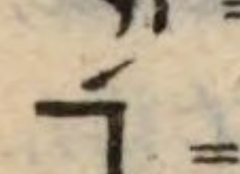
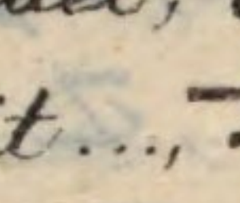
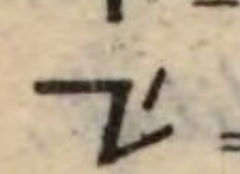
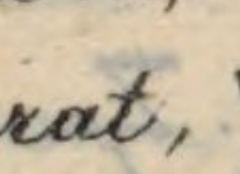
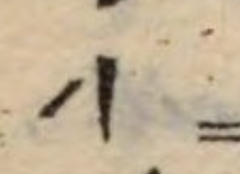
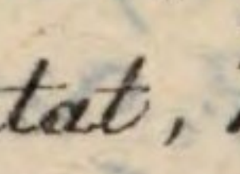
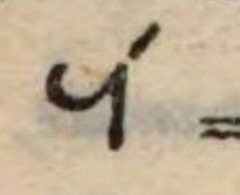
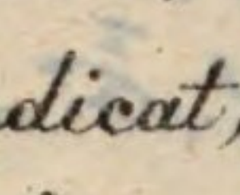
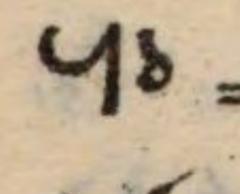
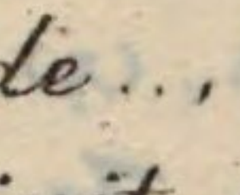
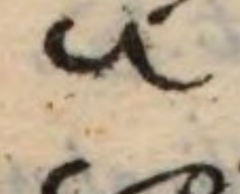
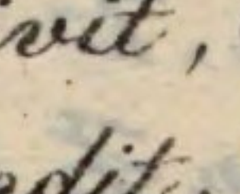
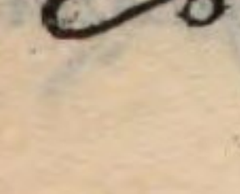
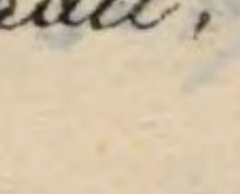
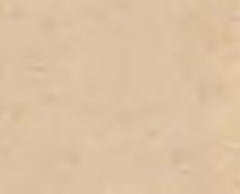
S(u).L^et...=supplet..,
S(ub)G^it...=submergit,

Sv(b)H^it...=subtrahit..,
S(uper)vD^at...=superundat,

T(rans)L^it...=transilit...,
T(rans)D^itur...=transgreditur.

[illegible]

/: E. :/

h = A^it = agit....., k = A^at = aestimat...,
h = A^it = audit....., ks = AG^tat = agitat...,
3 = B^it = batuit...., 3^re = BI^ere = bibere...,
C = C^it = cernit...., C = C^tat = citat....,
3 = C^et = censet...., 6 = Co^o = cogo....,
2 = Cv^ire = custodire.., 23 = Cr^bam = credebam,
3 = CB^ari = celebrari.., 9 = Cu^et = curet /: conj. :/
5 = Di^it = dicit....., 5 = De^et = decet....,
5 = D^at = dat....., 5 = De^it = dedit...,
e = E^it = emit....., e = E^at = errat...,
e = E^it = egit....., o = ED^it = edit....,
f = F^it = fugit....., f = Fu^itur = fruitur...,

 = F.^{it} = *facit*...,  = F.^{tat} = *factitat*..,
 = F^{et} = *fervet*...,  = F.^{it} = *fervescit*..,
 = G$_{e}$.^{it} = *gerit*...,  = Ga.^{it} = *garrit*...,
 = G$_{e}$.^{at} = *generat*...,  = Ga.^{et} = *gaudet*..,
 = H$_{a}$.^{et} = *habet*...,  = HB.^{tat} = *habitat*..,
 = I(n).^{is} = *inquis*...,  = Iv.^{at} = *jurat*....,
 = I.^{ere} = *jacĕre*..,  = I.^{ere} = *jacēre*...,
 = I.^{tat} = *jactat*...,  = Is.^{it} = *jussit*....,
 = K(a)P.^{unt} = *capiunt*,  = K(a)P.^{it} = *capescit*,
 = L.^{et} = *latet*...,  = L.^{eris} = *loqueris*..,
= L.^{et} = *libet*...,  = L^{at} = *liberat*...,
= Lv.^{et} = *luget*...,  = LA.^{tat} = *lamentat*.,
 = M.^{it} = *metit*...,  = M(i).^{it} = *mittit*...,
 = M(u).^{tat} = *mutat*..,  = M(a).^{et} = *maeret*..,
 = M.^{it} = *minuit*...,  = M.^{et} = *movet*...,
 = M(at).^{it} = *matuescit*,  = M(ol)C.^{it} = *mollescit*,
 = N.^{at} = *narrat*...,  = N.^{it} = *nutrit*...,
 = NI.^{itur} = *nititur*..,  = NL.^{tat} = *nobilitat*,
 = N(e).^{it} = *nescit*...,  = N(o).^{it} = *noscit*..,
 = O.^{at} = *ordinat*..,  = OP.^{ramus} = *optaveramus*,
 = O.^{uit} = *ornavit*..,  = O.^{it} = *odit*....,
 = P.^{it} = *parit*...,  = PL.^{et} = *placet*....,
 = P(a)is).^{itur} = *paciscitur*,  = P(a)$^{(x)}$C.^{atur} = *pacificatur*,

 = P(r)$^{it}_{...}$ = *premit*...,  = P(r)$^{at}_{...}$ = *privat*...,
 = P$^{at}_{...}$ = *portat*...,  = P(l)O$^{at}_{...}$ = *plorat*...,
 = PP(v,l)$^{it}_{...}$ = *pepulit*,  = PRt$^{it}_{...}$ = *portendit*,
= P(o)$^{itur}_{....}$ = *potitur*,  = P(o)L$^{it}_{...}$ = *polit*...,
 = P(o,s)$^{um}_{...}$ = *posum*...,  = PL(o)$^{it}_{...}$ = *plodit*...,
= P$^{it}_{...}$ = *petit*...,  = P$^{at}_{...}$ = *probat*...,
 = Pc(s)$^{it}_{...}$ = *poscit*,  = PG$^{it}_{...}$ = *pergit*...,
 = Q$^{it}_{...}$ = *quaerit*,  = Q(t)$^{it}_{...}$ = *quatit*...,
 = Q$^{at}_{...}$ = *quadrat*,  = Qs$^{it}_{...}$ = *quiescit*...,
 = R(e)$^{it}_{...}$ = *regit*...,  = R(a)$^{it}_{...}$ = *rarescit*...,
= R(u)$^{it}_{...}$ = *ruit*...,  = R(a)$^{et}_{...}$ = *ruebet*...,
 = R(a)$^{it}_{...}$ = *radit*...,  = R(od)$^{it}_{...}$ = *rodit*...,
 = R$^{it}_{...}$ = *rapit*...,  = R$^{uit}_{...}$ = *rogavit*...,
 = S$^{at}_{...}$ = *spectat*,  = S$^{are}_{....}$ = *stare*...,
 = S$^{(c)}_{...}i^{i}_{...}$ = *scripsi*,  = S$^{(c)}_{...}i^{ere}_{...}$ = *scribere*...,
 = SA$^{et}_{...}$ = *suadet*,  = S$^{et}_{a}$ = *sedet*...,
 = T$^{it}_{...}$ = *tollit*...,  = T$^{(x)it}_{...}$ = *texit*...,
 = TL$^{at}_{...}$ = *tolerat*,  = TO$^{at}_{...}$ = *tonat*...,
 = Ta$^{at}_{...}$ = *tentat*,  = T(e)$^{it}_{...}$ = *tetendit*,
 = UI$^{at}_{...}$ = *vindicat*,  = UP$^{it}_{...}$ = *vesperascit*,
 = UI$^{De}_{...}$ = *vide*...,  = UI$^{es}_{...}$ = *vides*...,
= U(V)$^{it}_{...}$ = *vivit*, = Uc$^{it}_{...}$ = *vincit*...,
 = UD$^{it}_{...}$ = *vendit*, = UD$^{at}_{...}$ = *undat*,

= B(e)N$^{it}_{...}$ = *bene audit*, = Ml^{it} = *male audit*,

= B(e)P$^{ens}_{....}$ = *bene cupiens*, = Bl$^{tum}_{....}$ = *bene placitum*,

= B(e)F$^{it}_{...}$ = *benefacit*.., = L$_{(a)}$B$^{Fe}_{...}$ = *labefecit*..,

= OL$_{(f)}$$^{it}_{...}$ = *olfacit*...., = MAF$^{um}_{....}$ = *madefactum*,

= K$_{(a)}$L$^{Fe}_{...}$ = *calefecit*.., = R$_{(e)}$C$^{um}_{...}$ = *recalfactum*,

= PAF^{it} = *patefacit*.., = $^{(b)}$OSP$^{F.um}_{.....}$ = *obstupefactum*,

= C$_{(o)}$N$^{Fe}_{...}$ = *communefecit*, = SF$^{est}_{....}$ = *satisfactum est*.—

= N$_{(e)}$$^{it}_{...}$ = *non credit*, = N$_{(e)}$Am$)^{at}_{...}$ = *non amat*,

= N$_{(e)}$Cv$^{at}_{...}$ = *non excusat*, = N$_{(e)}$R$_{(e)}$$^{at}_{...}$ = *non recusat*,

= N$_{(e)}$L$^{et}_{...}$ = *non licet*.., = N$_{(e)}$L$^{it}_{...}$ = *non fallit*..,

= N$_{(e)}$$^{it}_{....}$ = *nescit* /: *quasi*: *non scit* :/ = N$_{(e)}$F$^{it}_{(v)}$ = *non fuit*,

= N$_{(e)}$L$^{it}_{...}$ = *non intelligit*, = N$_{(e)}$G$^{es}_{...}$ = *non ignores*,

= N$_{(e)}$R$_{(e)}$$^{it}_{...}$ = *non recedit*, = N$_{(e)}$P$^{uit}_{....}$ = *non poenituit*,

= No$_{(n)}$B$^{tat}_{....}$ = *non dubitat*, = Vt P$_{(i)}$$^{or}_{...}$ = *ut opinor*, *ser.*

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b.) *a (prv. s. fe :*

/: Q. :/

= Q$_{(a)}$L$^{et}_{...}$ = *qualibet*, = QvL$^{et}_{...}$ = *quibuslibet*,

= No$_{(bis)}$ Sv Q$^{it}_{...}$ = *nobis suggerit*, —

= P$_{(er)}$S Nv.$^{at}_{....}$ = *per se nuntiat*, —

= Mi)C$^{e}_{...}$ = *mihi crede*, = U$_{(obis)}$$^{Sans}_{....}$ = *vobis stantibus*,

= U$_{(obis)}$$^{C(ircum\ S(ans)}_{.....}$ = *vobis circumstantibus*, *ser.*

[illegible]

|: H. :|

[illegible] =B(el)G$^{it}_{\dots}$= *bellum gerit*, [illegible] =B(el)G$^{Dum}_{\dots}$= *bellum gerendum*,
[illegible] =Ius$^{Do}_{\dots}$= *jure jurando*, [illegible] =DA$^{ens}_{\dots}$= *dicto audiens*,
[illegible] =G(a)A$^{it}_{\dots}$= *gratias agit*, [illegible] =MvMi$^{it}_{\dots}$= *manumittit*.

[illegible]

|: I. :|

[illegible] =N(e)P$^{Es}_{\dots}$= *non potest esse*, [illegible] =^{Es}N(e)P= *esse non potest*,
[illegible] = I$^{Es}_{\dots}$ = *ire potes* ...., [illegible] =R(e)$^{Es}_{\dots}$= *redire potes*,
[illegible] =^{Es}I = *ire non potes*, [illegible] =^{Es}R(e)= *redire non potes*.

[illegible]

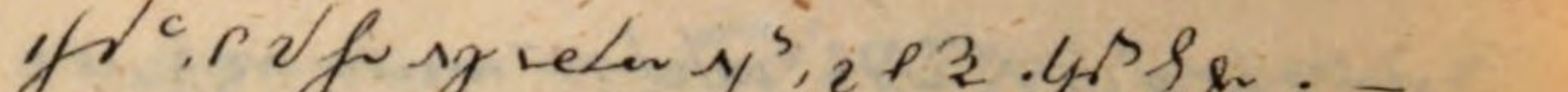
[illegible]

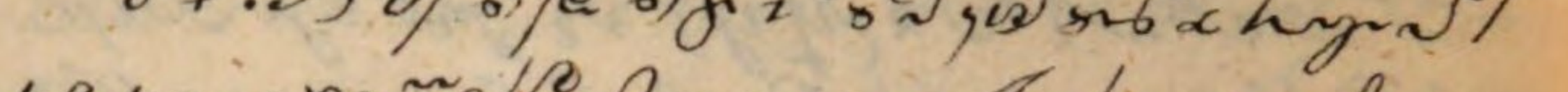
|: K. :|

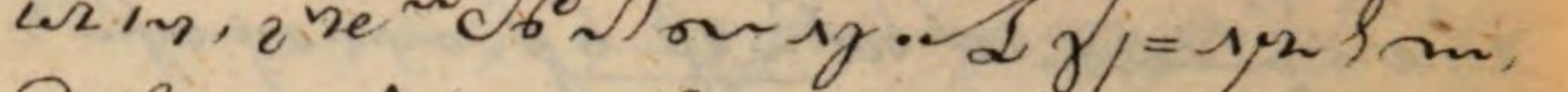
[illegible] =Dum$^{at}_{\dots}$= *dum tentat*, [illegible] =Dum$^{(x)at}_{\dots}$= *dum taxat*,
[illegible] = Vt$^{(x)i}_{\dots}$ = *ut dixi* , —
[illegible] = Vt$^{(voBis)(x)i}_{\dots\dots\dots}$ = *ut vobis superius dixi*, ...
[illegible] = Vt$^{(x)i}_{(voBis)\dots}$ = *ut vobis inferius dixi*, —

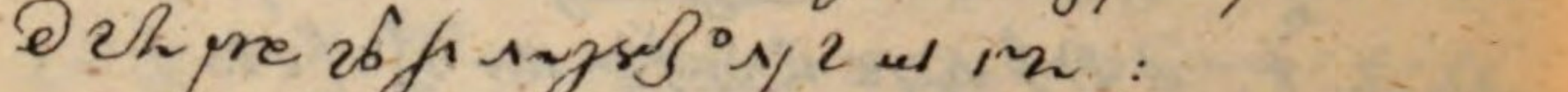
[illegible]

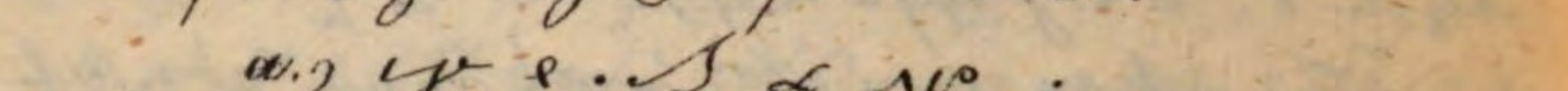
$\mathcal{A}$ = P(rac)F.x)erunt = *praeterea dixerunt* ...
$\mathfrak{h}'$ = A(t)M$_{(a)}^{(a)}$it = *amabiemus ait* .....
$\mathfrak{h}'$ = QRN^{tx}... = *quorum nomina (auctoremen-*
tum) inserta.

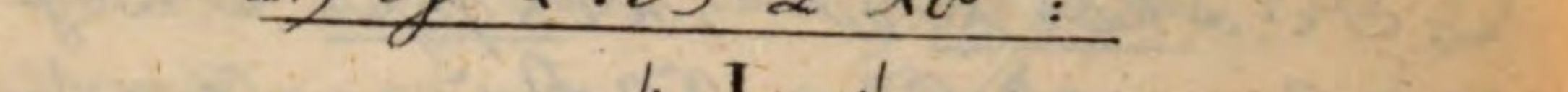


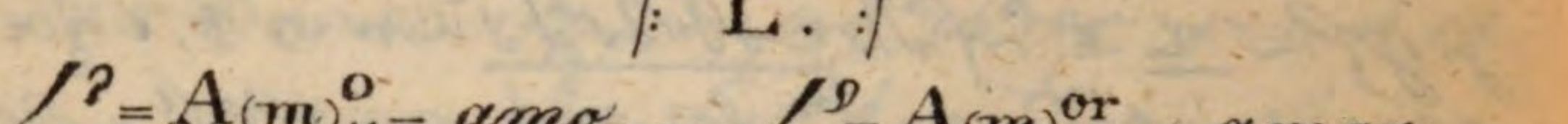


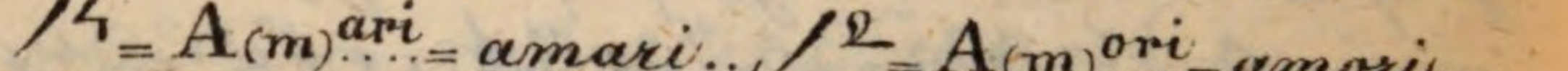


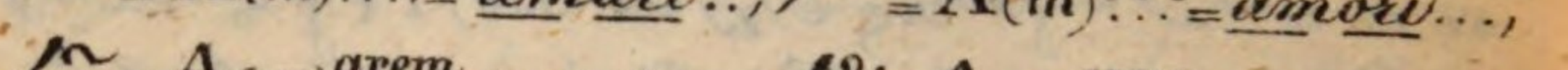


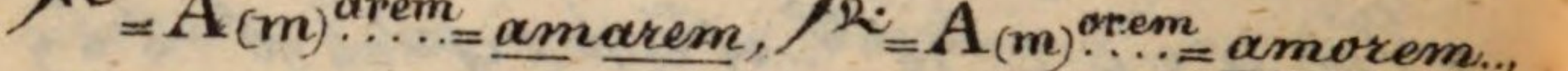


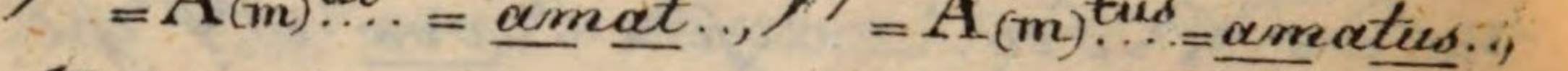


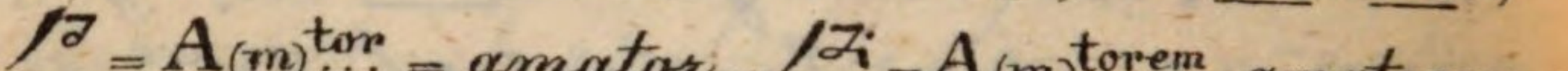


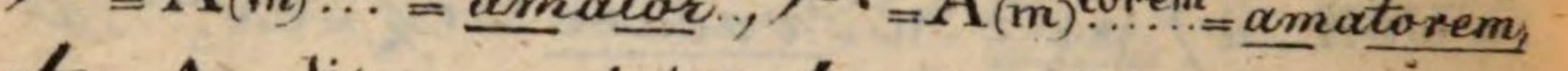


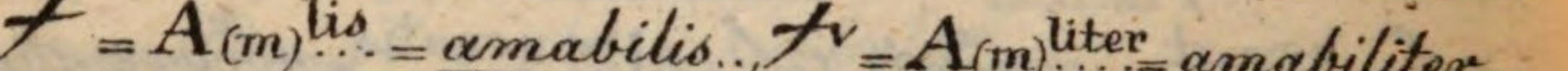


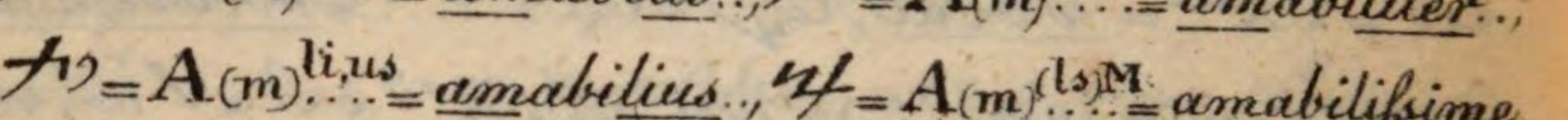


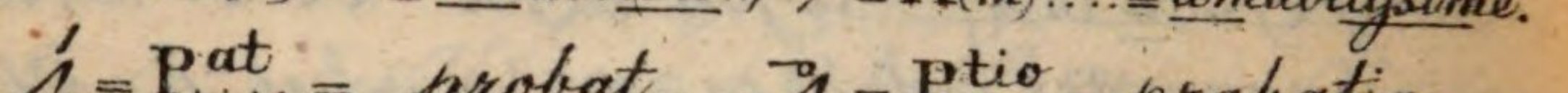


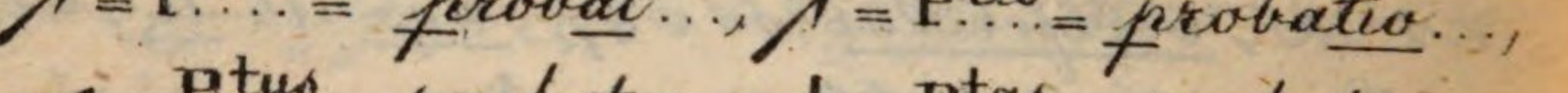


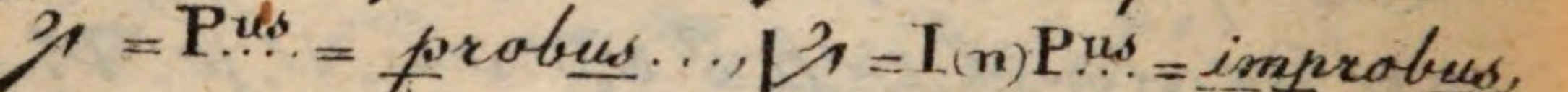


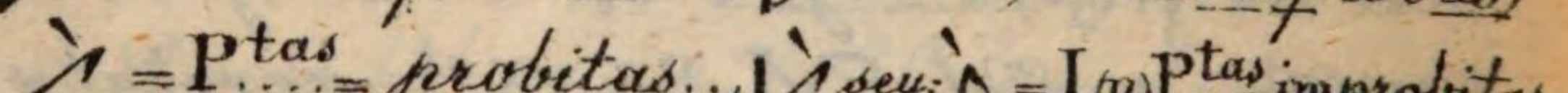


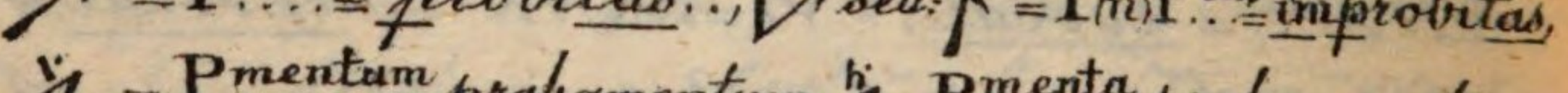


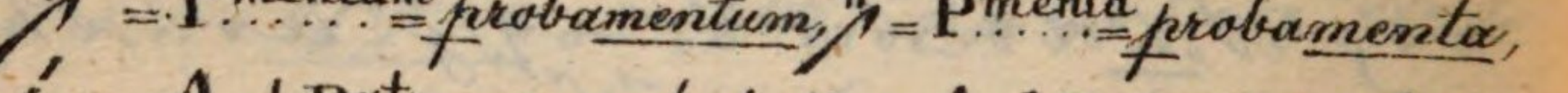


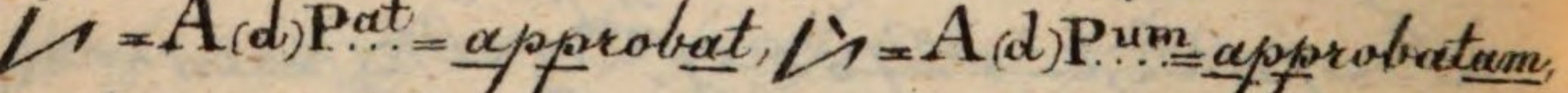


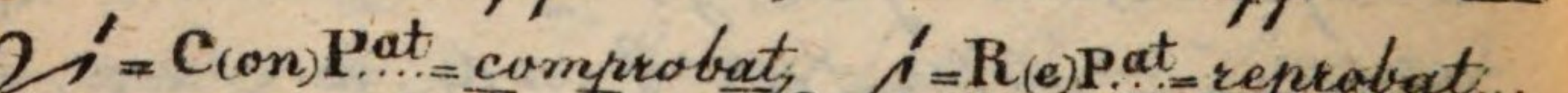


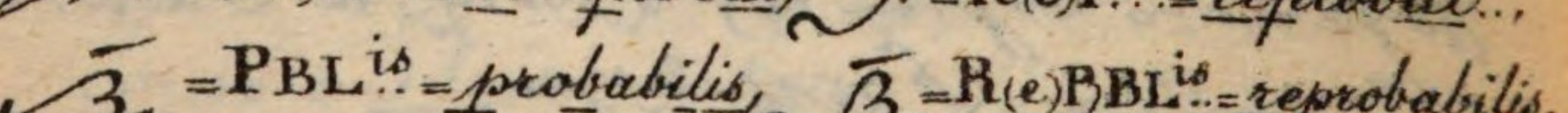


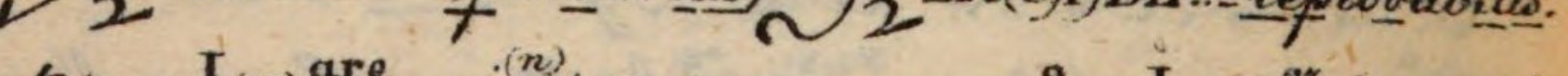


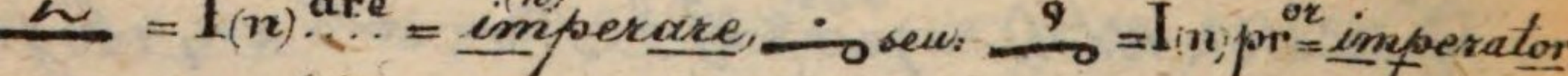


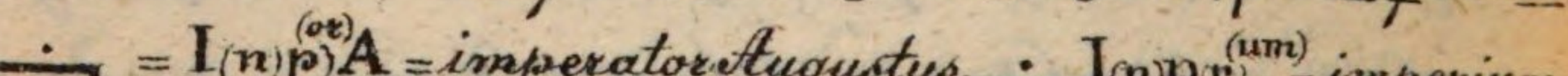


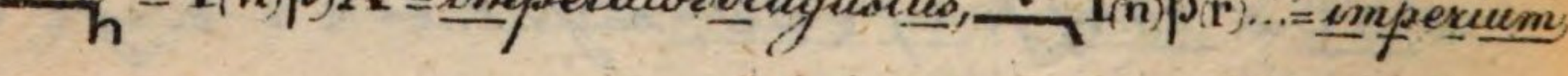












—r— = I(n)p(r)$^{rii}_{\ldots}$ = *imperii* .., —ĭ— = I(n)p(r)$^{ria}_{\ldots}$ = *imperia*,
—·— = I(n)p)S$^{(us)}_{\ldots}$ = *imperiosus*, —~— = I(n)p)L$^{is}_{\ldots}$ = *imperialis*,
ſcr = S$^{(c)}_{(i)\ldots}$ = *scribere* .., ſcr = S$^{(c)tum}_{\ldots\ldots}$ = *scriptum*,
ſcꝰ = S$^{(c)tus}_{\ldots\ldots}$ = *scriptus* .., ſcª = S$^{(c)ta}_{\ldots\ldots}$ = *scripta* ...,
ſcꝝ = S$^{(c)torum}_{\ldots\ldots}$ = *scriptorum*, ſcꝰ = S$^{(c)rus}_{\ldots\ldots}$ = *scripturus* ..,
ſcRPª = S$^{(c)}_{\text{RP}\ldots}$ = *scriptura*, ſcPam = S$^{(c)}_{\text{P}\ldots}$ = *scripturam*.

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b.) ly ſ ſ ſ

~f = R(e)^{xc}L^{is} = regalis, ~x = R(e)^{x}L^{as} = regulas;
en ℰ𝔩𝔰 : 9 = R(e)^{or} = rector, 9 = R(e)^{tores} = rectores p.

---

c. 2 y ~2 .. 2 ar b"2 , :

/: N. :/

„ ↄ = C"ifst ~ ~m o2 e „civis". ɛ 2 r
f „ ↄ" ~ b^{t} ~f ~x, r < m t xpr°2 ~ ,
, fr ~f, t b 3 eb ~ o ~ re ~ .. 3 a fxp
ɛ ~ .. ~ y en t 2m 2 3 , (, pr 3 ro2 ¹ :
ↄ = C^{is} = civis /: genit :/ ↄ = C^{tas} = civitas ...,
ↄ = C^{tatis} = civitatis .., ↄ = C^{tates} = civitates ..,
2 ~ = CL^{is} = civilis ..., 2 ~ = CL^{e} = civile, &c.
ħ = A. = 9. / „ante". ... ħ = A^{a} = antea .....,
ħ = A^{oa} = anteomnia, ~ „ħ" = OA" e 9. / „omnia".
ħ = A^{am} = antequam, .. ħ = Aa^{am} = anteaquam p.
ſ = Sv = sub ....., ſ = S$^{(er)}$ = super .....,
ſħ = SA = supra ....., vſħ = V(t)SA = ut supra,
ſ = S(up)^{er}us = superbus ..., ſ = S(uper)^{a} = superba
ſħ = S(uper)A = superbia, ſ = S(uper)^{na} = superna,
ſ = S(uper)^{ne} = superne, ſ = S(uper)^{or} = superior,
ſ^{re} = S(uper)^{orem} = superiorem, ſ = S(uper)^{rius} = superius.

---

3 r b^{re} 2 b^{re} e a, b, c, f ~ ei 9 a prz ehrj 2 h

= I(n)N.e = *in nomine*, = I(n)DN.e = *in Dei nomine*,

= I(n)T.re = *in tempore*, = I(n)oT.re = *in illo tempore*,

= I(n)R(e)x)No = *in regno nostro*, = I(n)tu = *in comitatu*,

= I(n)V.vm = *in judicium*, = I(n)A(e)um = *in aeternum*,

= I(n)P(i)o = *in principio*, = I(n)Fvrum = *in futurum*,

= I(n)tione = *in contione*, = I(n)ne = *in negotiatione*,

= I(n)SMS is = *in singulis mensibus*, = I(n)MSis = *in mensibus singulis*,

= I(n)PA(x) = *in pace*(x)., = A(In)re = *agentes in rebus*,

= I(n)I(s)re = *in jure*...., = I(n)oQ(I)re = *in concursojure* (quatio),

= P(er)Ftiam = *per frequentiam*, = P(er)Ctu(m) = *per circuitum*,

= P.I(n)Mles = *per immortales* = *per Deos Deasque immortales*,

= P.Cle = *pro consule*, = P(ro)Lo = *pro nihilo*.,

= P(ro)orPre = *pro corpore*, = P(ro)SLve = *pro salute*,

= Si(ne)P(rae)Iv. = *sine praejudicio*, = Si(ne)Bne = *sine ulla dubitatione*,

= S(e)vNam = *secundum naturam*, = S(e)dR(u)Nam = *secundum rerum naturam*.

[illegible]

P.

= M(v)Lis = *multis locis*., = M(vl)Mis = *multis modis*,

= M(vl)Nis = *multis annis*, = M(vl)Cis = *multis causis*,

= M(vl)(d)Cis = *multis de causis*, = T(an)(d)Cis = *tantis de causis*:

= Q(v)Cis = *quibus causis*, = Q(v)vCis = *quibuscunque causis*,

= QR$^{tis}_{\ldots}$ = quibus rebus civitatis, = QvC$^{bus}_{\ldots}$ = quibus civitatibus,
= Q(v)F$^{bus}_{\ldots}$ = quibus fidejussoribus . . . . . ,
= B.$^{re}_{\ldots}$ = brevi tempore = PQ$^{e}_{\ldots}$ = primo quoque tempore,
= EA$^{tate}_{\ldots}$ = ea tempestate, ...
= S(Po)M$^{a}_{\ldots}$ = sine ulla funeris pompa . .,
= L(e)$^{ne}_{\ldots}$ = legitimo ordine, ...

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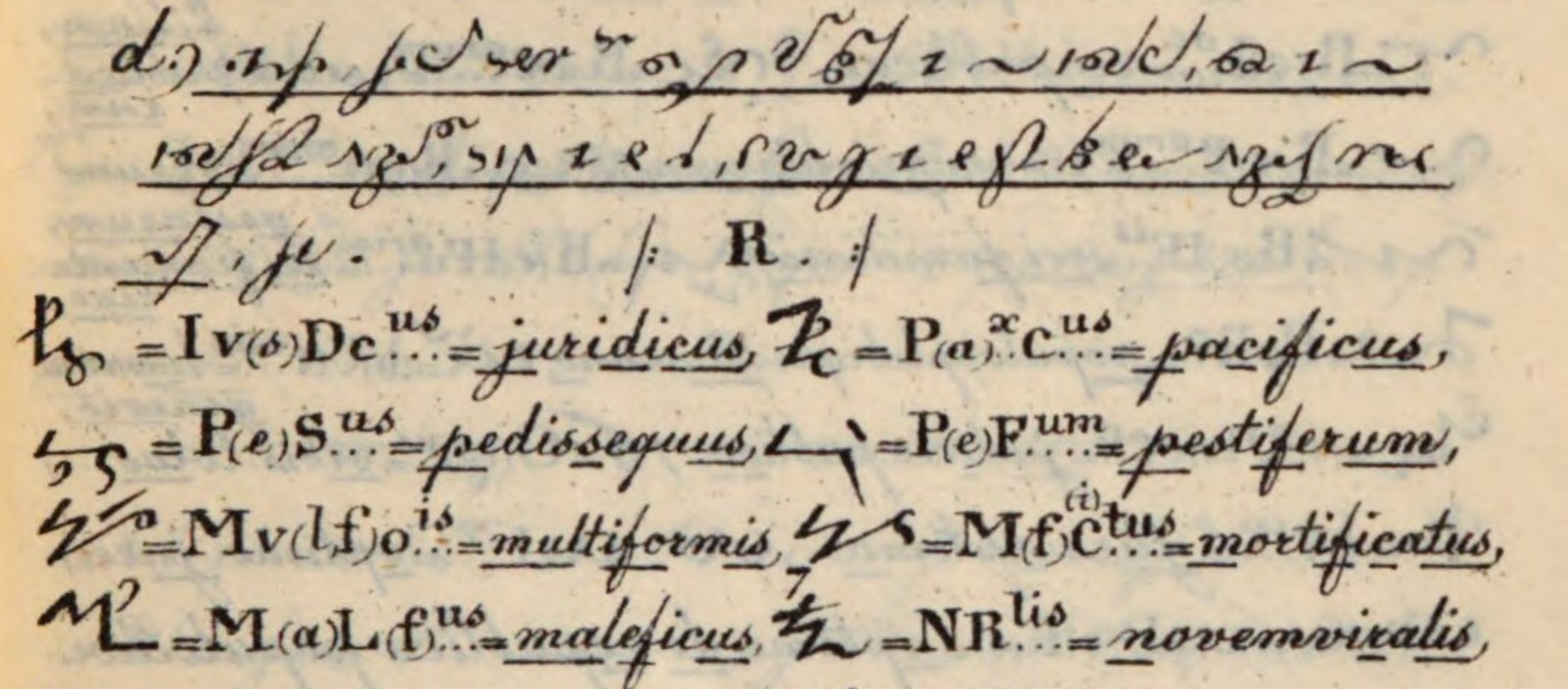
c.) [illegible]

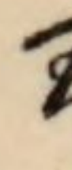
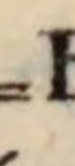
/: Q. :/

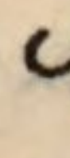
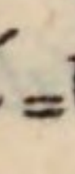
= PA(v)^{is} = paucis supra diebus,
= " = paucis infra diebus,
= " = paucis ante diebus,
= " = paucis post diebus.

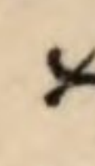
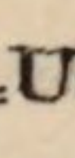
[illegible]

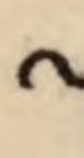
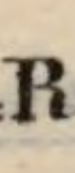
= U$^{b}_{\ldots}$ = vobis:
= U$^{b}_{\ldots}$ = vobis superius, = U$^{b}_{\ldots}$ = vobis inferius,
= U$^{b}_{\ldots}$ = vobis videntibus, ...
= " = vobis audientibus, ...
= " = vobis praesentibus, ...
= " = vobis absentibus." . . . . . .

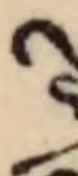
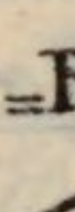


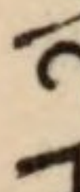
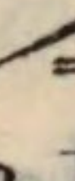
 =P(ro)l$^{o}_{i}$R^{e}..= *proelium equestre*,  =P$^{(s)}$.....S$^{(a)}$..= *pars adversa*,

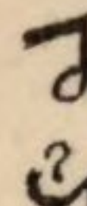
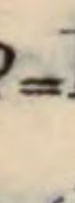
 =UIR^{mus}...= *vir clarissimus*,  =UI(r)P^{us}...= *vir splendidus*,

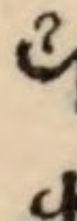
 =U(ir)S^{lis}...= *vir spectabilis*,  =U(ir)S^{lium}....= *virorum spectabilium*,

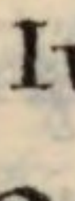
 =R(e)I^{ae}...= *rei publicae*,  =R(e)C^{arum}....= *rerum publicarum*,

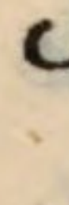
 =R(e)P^{arum}....= *rerum privatarum*,  =R(e)G^{arum}...= *rerum gestarum*,

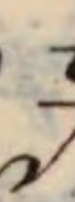
 =R(e)IF^{is}..= *rei familiaris*,  =R(e)IFu^{riae}...= *rei frumentariae*,

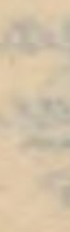
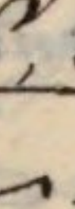
 =PoR^{o}..= *populo-plebique-Romano*,  =(h)UG^{eris}...= *humani generis*,

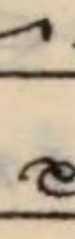
 =(i)UL(i)C^{o}..= *judicio publico*, 76=O(i$^{i}_{s}$)^{us}..= *orbis totus*...,

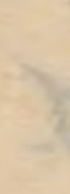
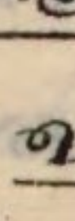
=Iv^{o}... = *jure optimo*..,  =I$^{(e)}$...= *optimo jure*,

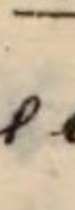
 =D(e)R(e)= *optime de republica populi Romani meritus*, &c.

=NR^{um}...= *natura rerum*,  =R(e)N^{a}..= *rerum natura*,

 =O(r)^{arum}....= *orbis terrarum*,  =TR^{arum}$^{(is)}$..= *terrarum orbis*,

=S(n)vl^{tum}....= *senatus consultum*,  =Po(e)N^{e}..= *poenae nomine*,

 =T.P$^{i}_{(s)}$= *tribunus plebi(s)*,  =T.M^{um}....= *tribunus militum*,

=C R$^{(x)}$N^{i}.. = *clementia regni nostri*,  =U(i)I$^{is}_{o}$= *vi Jovis*,

$\overline{\text{Ls}}$ = In(ter)P(t)$^{\text{arum}}$ = *interpretatio linguarum* ...,
$\overline{\text{omn}}^{\text{ia}}$ = I(n)c̣o)P$^{\text{oum}}$ = *in conspectu omnium* ....,
$\overline{\text{ſc}}$ = I(n)SL$^{\text{um}}$ = *in saeculum saeculi* ....,
$\overline{\text{Ꝯ}}$ = oSl$^{\text{is}}$ = *ortus solis* ..., $\overline{\text{Ꝯ}}$ = oSl$^{\text{is}}$ = *occasus solis*,
$\overline{\text{Sol}}$ = Sol$^{\text{tus}}$ = *solis ortus* ..., &c = So(l)c$^{\text{us}}$ = *solis occasus* &c.
[illegible]
„ ſ ſ".

[illegible]

[illegible]

$\mathfrak{Co}_{(n)}\mathfrak{R}^{it}_{...}$ ist ein Complex n-ter Stufe, wenn

$\mathfrak{C}_{(o\,n)}\mathfrak{R}^{it}_{...} = \underline{\text{complex}it}_{...}$, $\mathfrak{C}_{(o\,n)}\mathfrak{R}^{it}_{...} = \underline{\text{contin}uit}_{...}$,

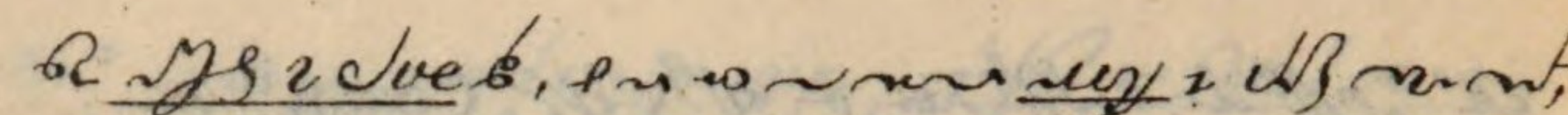
$\mathfrak{C}_{(o\,n)}\mathfrak{R}^{it}_{...} = \underline{\text{complement}it}$, $\mathfrak{C}_{(o\,n)}\mathfrak{R}^{it}_{...} = \underline{\text{condomin}it}$,

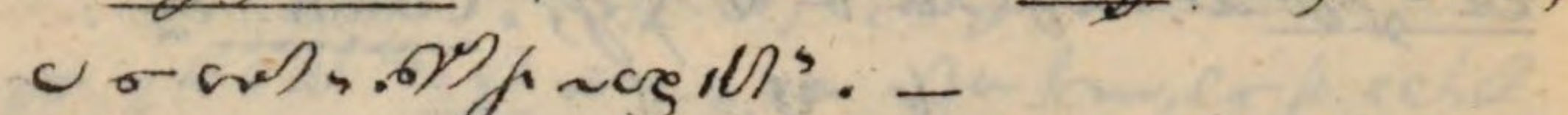
$\mathfrak{C}_{(o\,n)}\mathfrak{R}^{it}_{...} = \underline{\text{complementit}}$, $\mathfrak{C}_{(o\,n)}\mathfrak{R}^{it}_{(u)} = \underline{\text{continuit}}$,

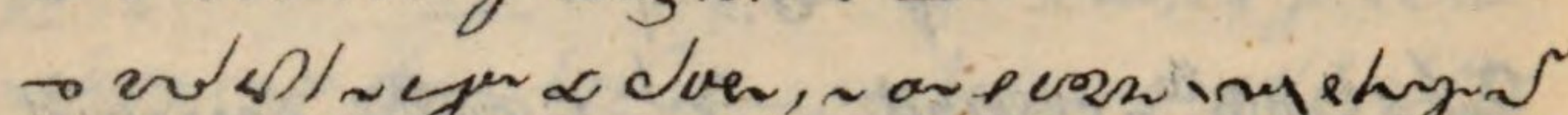
$\mathfrak{C}_{(o\,n)}\mathfrak{R}^{it}_{(u)} = \underline{\text{continuit}}$, $\mathfrak{C}_{(o\,n)}\mathfrak{R}^{it}_{...} = \underline{\text{complexit}}$,

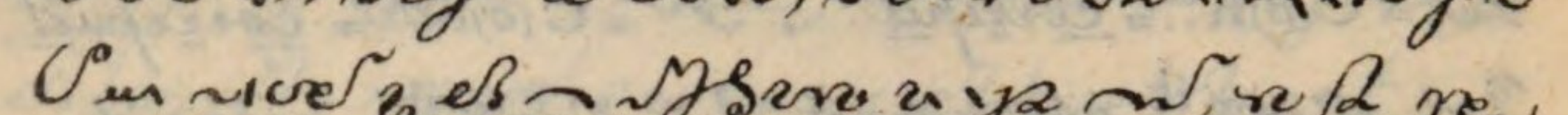
$\mathfrak{C}_{(o)}\mathfrak{R}^{it}_{...} = \underline{\text{coniunit}}$..., $\mathfrak{C}_{(o)}\mathfrak{R}(it) = \underline{\text{coniunit}}$,

$\mathfrak{C}_{(o)}\mathfrak{R}^{it}_{...} = \underline{\text{conjunctit}}$, $\mathfrak{C}_{(o)}\mathfrak{R}^{it}_{(u)} = \underline{\text{coniunit}}$...,









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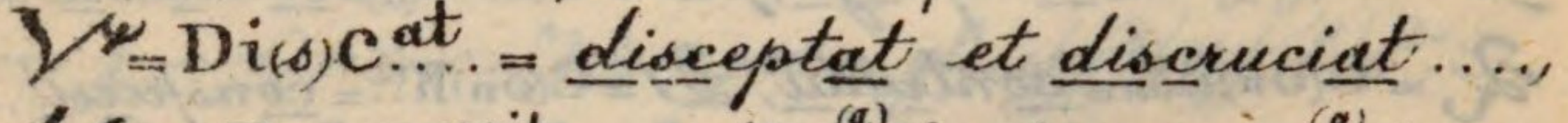

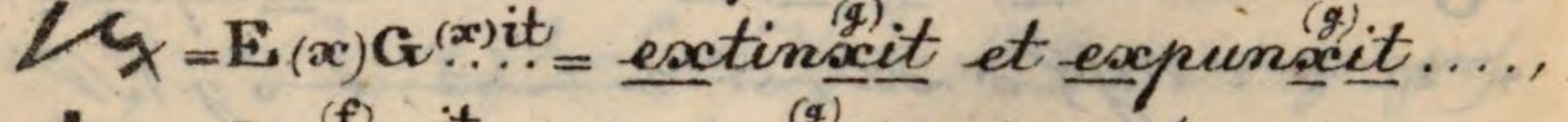

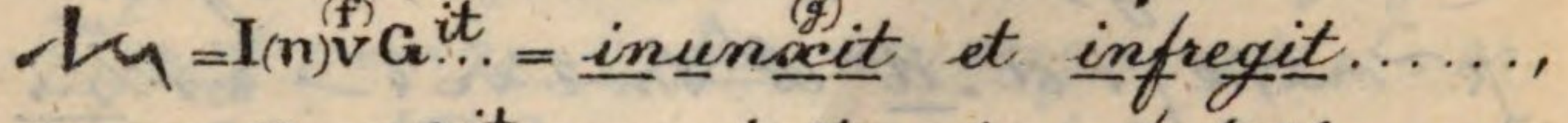

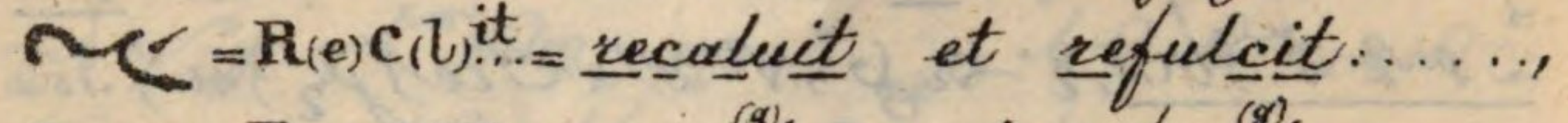

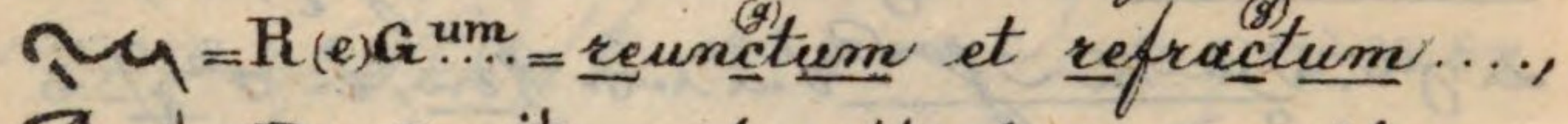

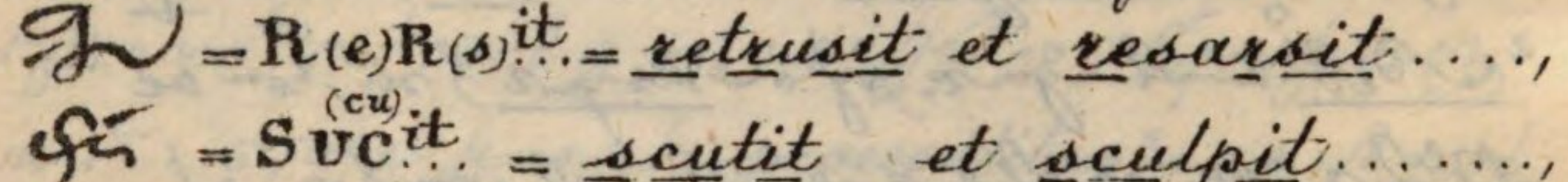

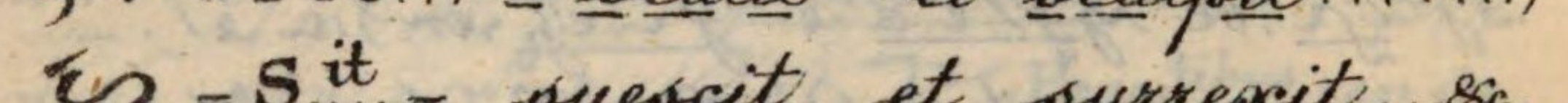

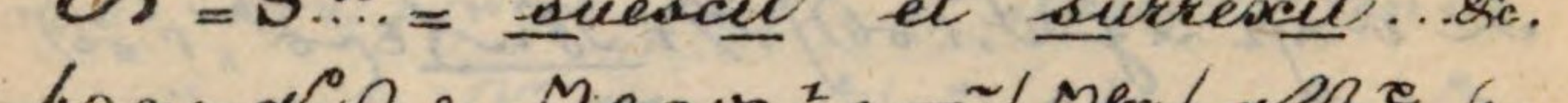

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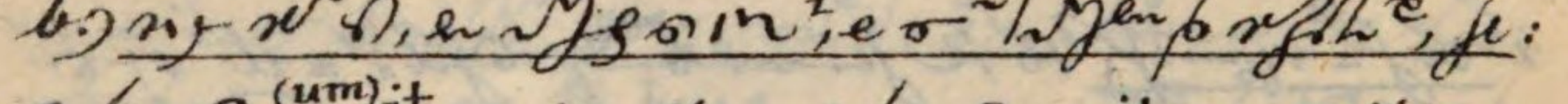

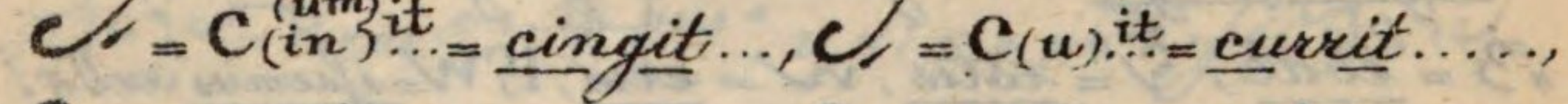

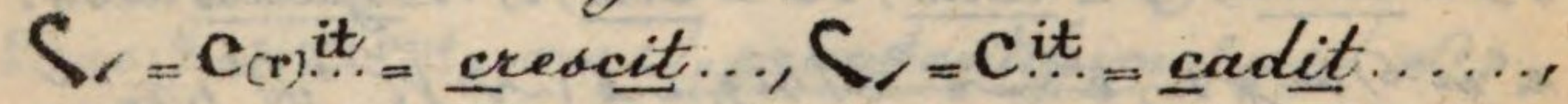

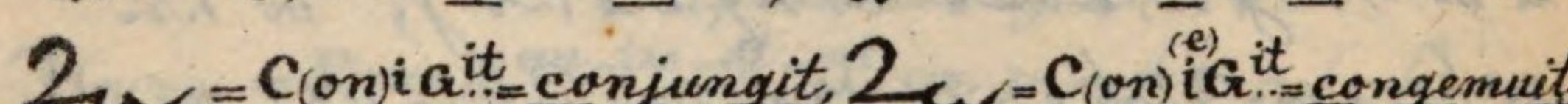

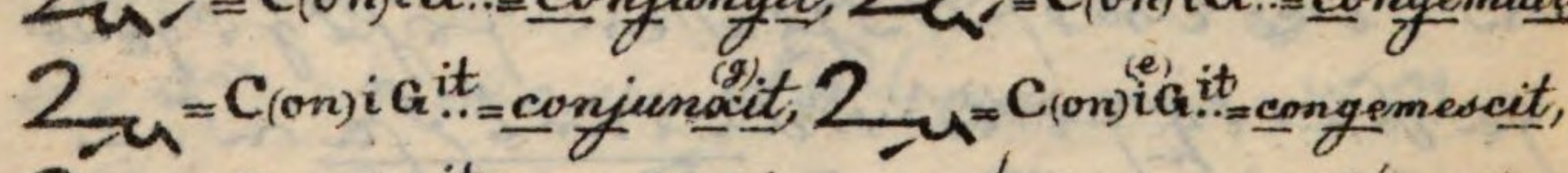

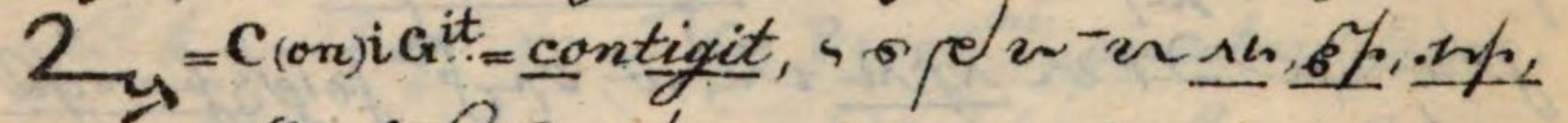

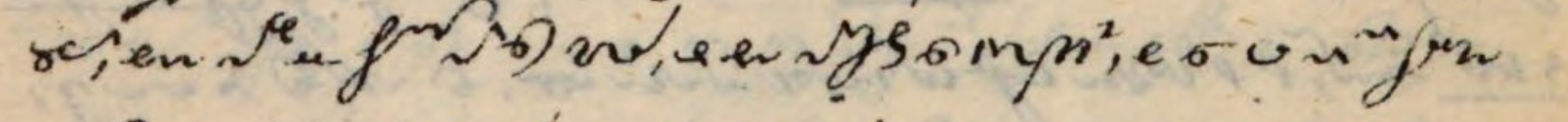

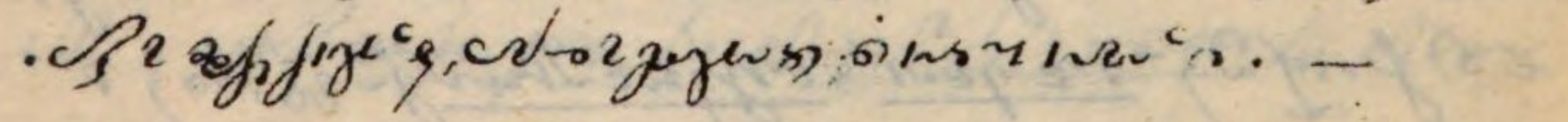

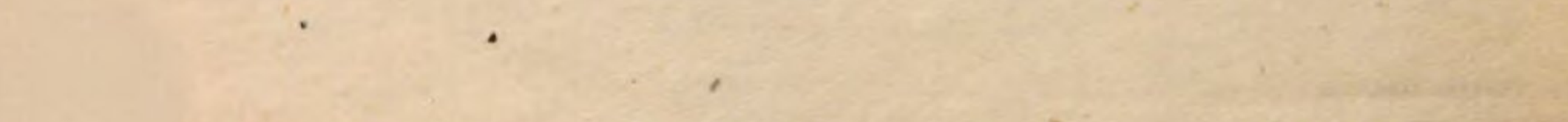

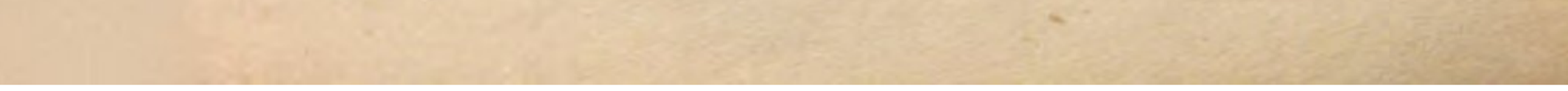

[illegible]

/: W. :/

H^nem C(on)S(itur) Al^do

= Hominem consequitur aliquando,

N(um)^am C_(om)^atur D(i)v)N^tas.

= numquam comitatur divinitas.

[illegible]

1) Al(quam) De.	Num(que) am. 3)
Co(n)s ibur 4)	C(om) atur 4)

H(o m)nem.

2)

Di V N tas

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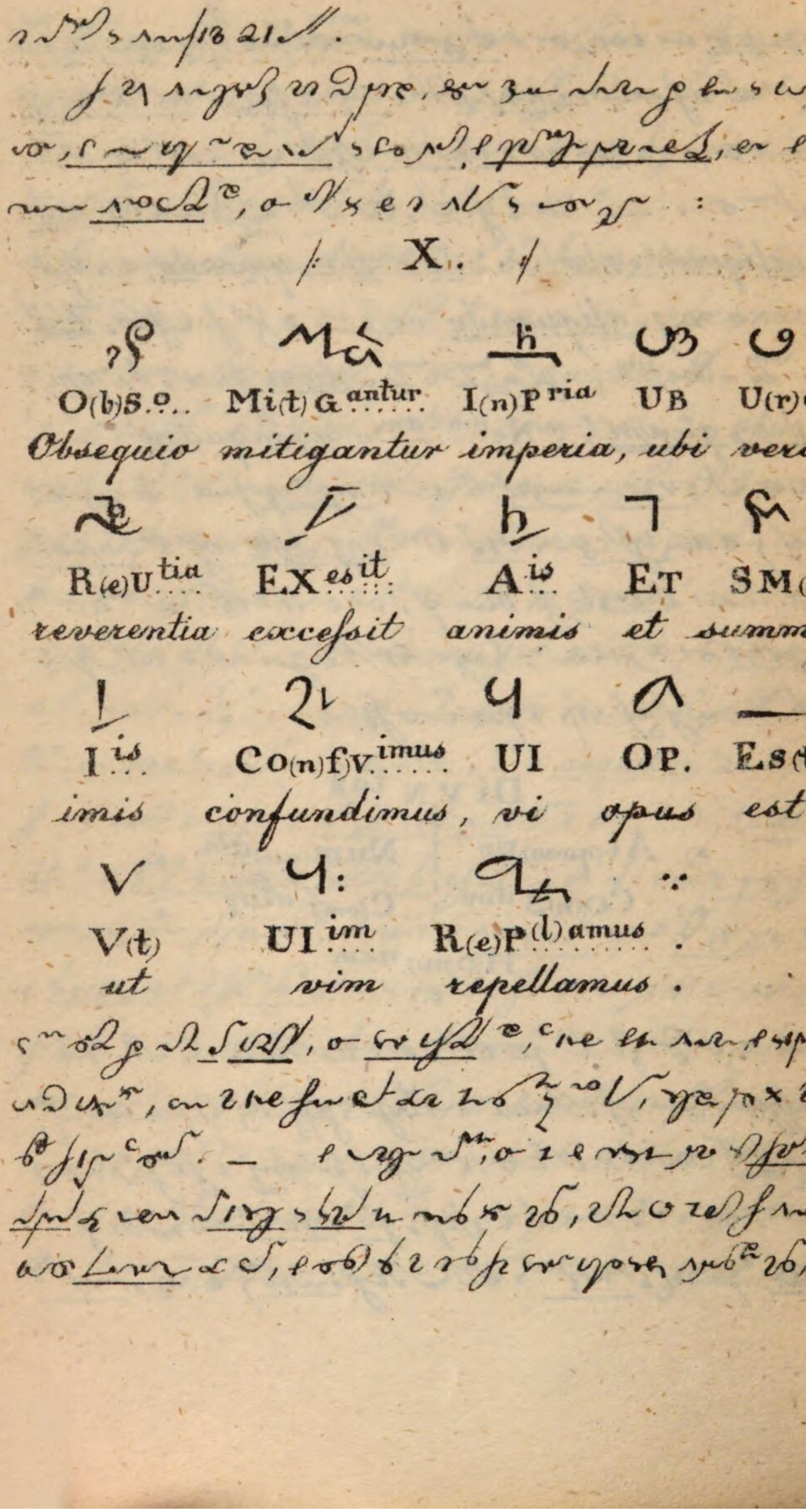

O(b)S.o... Mi(t)G.antur..... I(n)P.ria UB U(r)O

Obsequio mitigantur imperia, ubi vero

R(e)U.tia EX.es.it..... A.is... ET SM(a)

reverentia excesſit animis et summa

I.is... CO(n)f)V.imus..... UI OP. Es(t)

imis confundimus, vi opus est,

V UI.im.... R(e)P(l)amus.....

ut vim repellamus.

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Quadratum $\mathfrak{M}$ $\mathfrak{h}$ $\mathfrak{M}$ $\mathfrak{h}$ $\mathfrak{M}$ $\mathfrak{h}$

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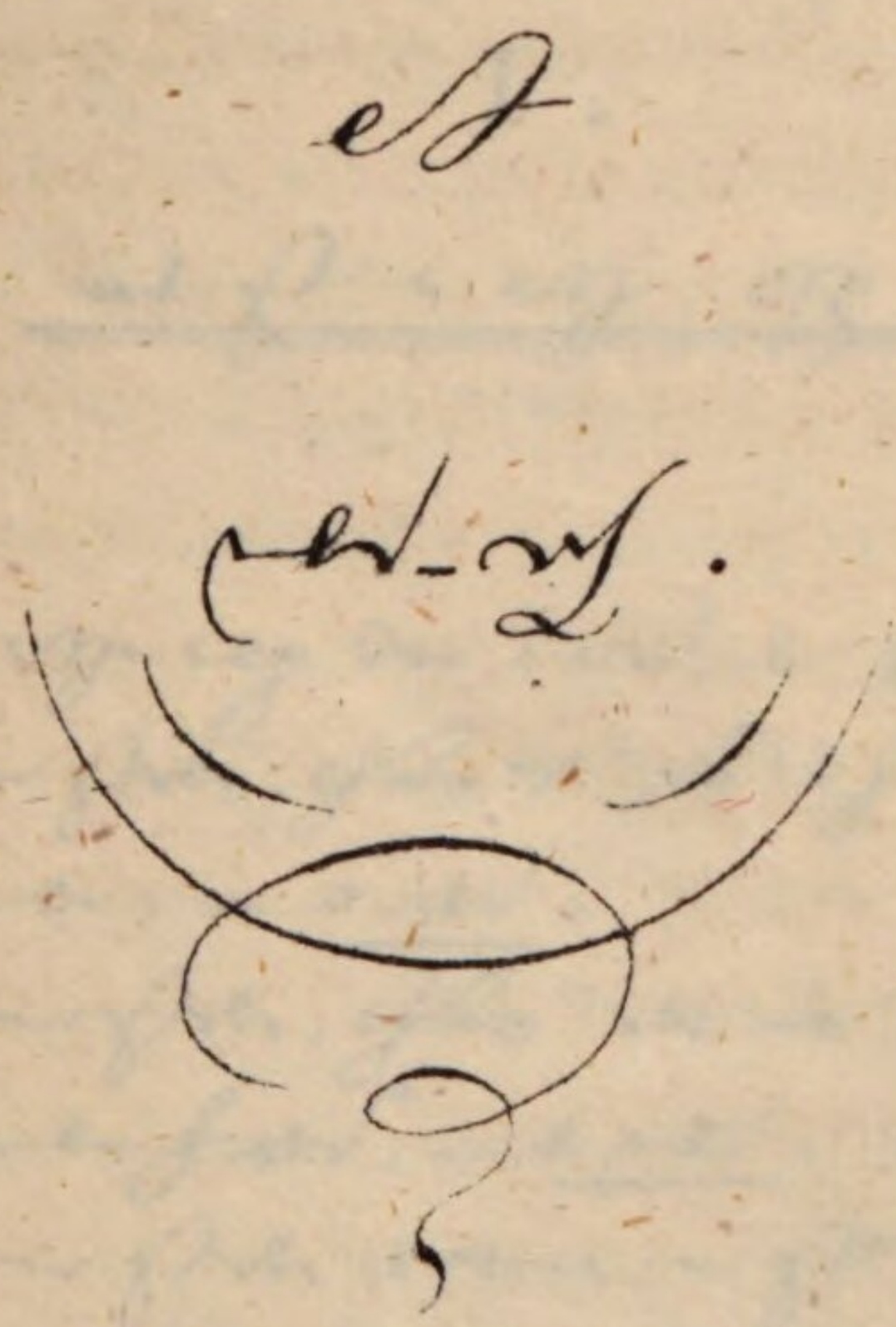

II

ـ ولما رأى الجن سيدنا سليمان عليه السلام قد أمر بالصلاة
وقام يصلي بالناس، وقد أحاطت به الجن من كل جانب، وهو
لا يراهم، ولا يعلم بهم، ولا بما يريدون به، فلما رأوه
قائما يصلي، ورأوا ما أعطاه الله من الملك والسلطان
والهيبة، وما سخر له من الجن والإنس والطير والوحش
والريح، وما علمه من منطق الطير، وما آتاه من كل شيء
مما لا يقدر عليه أحد من الخلق، ولا يطيقه، ولا يستطيع
أن يأتي بمثله، ولا بشيء قريب منه، ولا بشيء من
أسبابه، ولا بسبب من أسبابه، ولا بشيء من أسباب
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أسباب أسباب أسباب أسباب أسباب أسبابه، ولا

| | | |

Q 2.9

Ferner ist $\overline{AB} \parallel \overline{CD}$, $\overline{AC} \parallel \overline{BD}$, $\overline{AD} \parallel \overline{EF}$, $\overline{AE} \parallel \overline{BF}$, $\overline{AF} \parallel \overline{CE}$, $\overline{BC} \parallel \overline{DE}$; $\overline{AB} = \overline{CD} = \overline{EF}$, $\overline{AC} = \overline{BD} = \overline{AD} = \overline{BC} = \overline{AE} = \overline{BF} = \overline{AF} = \overline{CE} = \overline{DE}$. Man beweise, daß $\triangle ABC \cong \triangle DEF$ ist.

Beweis: Es ist $\overline{AB} \parallel \overline{CD}$ und $\overline{AC} \parallel \overline{BD}$, also $\square ABDC$ ein Parallelogramm. Ferner ist $\overline{AB} \parallel \overline{EF}$ und $\overline{AE} \parallel \overline{BF}$, also $\square ABFE$ ein Parallelogramm. Ferner ist $\overline{AC} \parallel \overline{BD}$ und $\overline{AF} \parallel \overline{CE}$, also $\square ACEF$ ein Parallelogramm. Ferner ist $\overline{BC} \parallel \overline{DE}$ und $\overline{AD} \parallel \overline{EF}$, also $\square BCDE$ ein Parallelogramm. Ferner ist $\overline{AB} = \overline{CD} = \overline{EF}$, $\overline{AC} = \overline{BD} = \overline{AD} = \overline{BC} = \overline{AE} = \overline{BF} = \overline{AF} = \overline{CE} = \overline{DE}$.

Da $\square ABDC$ ein Parallelogramm ist, so ist $\overline{AB} = \overline{CD}$ und $\overline{AC} = \overline{BD}$. Da $\square ABFE$ ein Parallelogramm ist, so ist $\overline{AB} = \overline{EF}$ und $\overline{AE} = \overline{BF}$. Da $\square ACEF$ ein Parallelogramm ist, so ist $\overline{AC} = \overline{EF}$ und $\overline{AF} = \overline{CE}$. Da $\square BCDE$ ein Parallelogramm ist, so ist $\overline{BC} = \overline{DE}$ und $\overline{AD} = \overline{EF}$. Da $\overline{AB} = \overline{CD} = \overline{EF}$, $\overline{AC} = \overline{BD} = \overline{AD} = \overline{BC} = \overline{AE} = \overline{BF} = \overline{AF} = \overline{CE} = \overline{DE}$, so ist $\overline{AB} = \overline{AC} = \overline{BC}$, $\overline{CD} = \overline{BD} = \overline{BC}$, $\overline{EF} = \overline{AD} = \overline{DE}$, $\overline{AB} = \overline{AE} = \overline{BF}$, $\overline{AC} = \overline{AF} = \overline{CE}$, $\overline{BC} = \overline{DE}$, $\overline{AD} = \overline{DE}$, $\overline{AE} = \overline{AF} = \overline{EF}$, $\overline{BF} = \overline{CE} = \overline{EF}$.

Also ist $\triangle ABC \cong \triangle DEF$.

Q 3.)

Es sind folgende Gleichungen gegeben:

„ $x^2 + y^2 + z^2 = 49$ “.

„ $x + y + z = 11$ “.

„ $xy + xz + yz = 39$ “.

Gesucht wird die Lösung dieses Gleichungssystems.

Lösung:

Aus der zweiten Gleichung folgt durch Quadrieren:

„ $x^2 + y^2 + z^2 + 2xy + 2xz + 2yz = 121$ “.

Durch Subtraktion der ersten Gleichung ergibt sich:

„ $2xy + 2xz + 2yz = 72$ “.

Durch Division durch 2 folgt:

„ $xy + xz + yz = 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $z^2 = 13$ “.

Durch Quadrieren folgt:

„ $z = \sqrt{13}$ “.

Durch Einsetzen in die dritte Gleichung folgt:

„ $xy + \sqrt{13}x + \sqrt{13}y = 36$ “.

Durch Subtraktion der zweiten Gleichung ergibt sich:

„ $xy - 11\sqrt{13} + 13 = 36 - 11\sqrt{13}$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 22\sqrt{13}xy + 1573xy = 1296 - 792\sqrt{13} + 1573$ “.

Durch Division durch xy folgt:

„ $xy - 22\sqrt{13} + 1573 = \frac{1296 - 792\sqrt{13} + 1573}{xy}$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 22\sqrt{13} + 1573 = \frac{1296 - 792\sqrt{13} + 1573}{36}$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 44\sqrt{13}x^2y + 3146x^2y = \frac{1296 - 792\sqrt{13} + 1573}{36}$ “.

Durch Division durch x^2y folgt:

„ $xy - 44\sqrt{13} + 3146 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y}$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 44\sqrt{13} + 3146 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 88\sqrt{13}x^2y^2 + 15488x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 88\sqrt{13} + 15488 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy}$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 88\sqrt{13} + 15488 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 176\sqrt{13}x^2y^2 + 61952x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 176\sqrt{13} + 61952 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 176\sqrt{13} + 61952 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 352\sqrt{13}x^2y^2 + 247808x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 352\sqrt{13} + 247808 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 352\sqrt{13} + 247808 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 704\sqrt{13}x^2y^2 + 991232x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 704\sqrt{13} + 991232 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 704\sqrt{13} + 991232 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 1408\sqrt{13}x^2y^2 + 3964928x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 1408\sqrt{13} + 3964928 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 1408\sqrt{13} + 3964928 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 2816\sqrt{13}x^2y^2 + 15859712x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 2816\sqrt{13} + 15859712 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 2816\sqrt{13} + 15859712 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 5632\sqrt{13}x^2y^2 + 63438848x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 5632\sqrt{13} + 63438848 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 5632\sqrt{13} + 63438848 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 11264\sqrt{13}x^2y^2 + 253755392x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 11264\sqrt{13} + 253755392 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 11264\sqrt{13} + 253755392 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 22528\sqrt{13}x^2y^2 + 1015021568x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 22528\sqrt{13} + 1015021568 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 22528\sqrt{13} + 1015021568 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 45056\sqrt{13}x^2y^2 + 4060086272x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 45056\sqrt{13} + 4060086272 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 45056\sqrt{13} + 4060086272 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 90112\sqrt{13}x^2y^2 + 16240345088x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 90112\sqrt{13} + 16240345088 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 90112\sqrt{13} + 16240345088 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 180224\sqrt{13}x^2y^2 + 64961380352x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 180224\sqrt{13} + 64961380352 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 180224\sqrt{13} + 64961380352 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 360448\sqrt{13}x^2y^2 + 259845521408x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 360448\sqrt{13} + 259845521408 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 360448\sqrt{13} + 259845521408 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 720896\sqrt{13}x^2y^2 + 1039382085632x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 720896\sqrt{13} + 1039382085632 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 720896\sqrt{13} + 1039382085632 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 1441792\sqrt{13}x^2y^2 + 4157528342528x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 1441792\sqrt{13} + 4157528342528 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 1441792\sqrt{13} + 4157528342528 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 2883584\sqrt{13}x^2y^2 + 16630113370112x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 2883584\sqrt{13} + 16630113370112 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 2883584\sqrt{13} + 16630113370112 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 5767168\sqrt{13}x^2y^2 + 66520453480448x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 5767168\sqrt{13} + 66520453480448 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 5767168\sqrt{13} + 66520453480448 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 11534336\sqrt{13}x^2y^2 + 266081813921792x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 11534336\sqrt{13} + 266081813921792 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 11534336\sqrt{13} + 266081813921792 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 23068672\sqrt{13}x^2y^2 + 1064327255687168x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 23068672\sqrt{13} + 1064327255687168 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 23068672\sqrt{13} + 1064327255687168 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 46137344\sqrt{13}x^2y^2 + 4257309022748672x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 46137344\sqrt{13} + 4257309022748672 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 46137344\sqrt{13} + 4257309022748672 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 92274688\sqrt{13}x^2y^2 + 17029236090994688x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 92274688\sqrt{13} + 17029236090994688 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 92274688\sqrt{13} + 17029236090994688 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 184549376\sqrt{13}x^2y^2 + 68116944363978752x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 184549376\sqrt{13} + 68116944363978752 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 184549376\sqrt{13} + 68116944363978752 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 369098752\sqrt{13}x^2y^2 + 272467777455915008x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 369098752\sqrt{13} + 272467777455915008 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 369098752\sqrt{13} + 272467777455915008 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 738197504\sqrt{13}x^2y^2 + 1089871109823660032x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 738197504\sqrt{13} + 1089871109823660032 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 738197504\sqrt{13} + 1089871109823660032 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 1476395008\sqrt{13}x^2y^2 + 4359484439294640128x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 1476395008\sqrt{13} + 4359484439294640128 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 1476395008\sqrt{13} + 4359484439294640128 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 2952790016\sqrt{13}x^2y^2 + 17437937757178560512x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 2952790016\sqrt{13} + 17437937757178560512 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 2952790016\sqrt{13} + 17437937757178560512 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 5905580032\sqrt{13}x^2y^2 + 69751751028714242048x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 5905580032\sqrt{13} + 69751751028714242048 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 5905580032\sqrt{13} + 69751751028714242048 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 11811160064\sqrt{13}x^2y^2 + 279007004114856968192x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 11811160064\sqrt{13} + 279007004114856968192 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 11811160064\sqrt{13} + 279007004114856968192 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 23622320128\sqrt{13}x^2y^2 + 1116028016459427872768x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 23622320128\sqrt{13} + 1116028016459427872768 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 23622320128\sqrt{13} + 1116028016459427872768 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 47244640256\sqrt{13}x^2y^2 + 4464112065837711491072x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 47244640256\sqrt{13} + 4464112065837711491072 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 47244640256\sqrt{13} + 4464112065837711491072 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 94489280512\sqrt{13}x^2y^2 + 17856448263350845964288x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 94489280512\sqrt{13} + 17856448263350845964288 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 94489280512\sqrt{13} + 17856448263350845964288 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 188978561024\sqrt{13}x^2y^2 + 71425793053403383857152x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 188978561024\sqrt{13} + 71425793053403383857152 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 188978561024\sqrt{13} + 71425793053403383857152 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 377957122048\sqrt{13}x^2y^2 + 285703172213613535428608x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 377957122048\sqrt{13} + 285703172213613535428608 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 377957122048\sqrt{13} + 285703172213613535428608 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 755914244096\sqrt{13}x^2y^2 + 1142812688854454141714432x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 755914244096\sqrt{13} + 1142812688854454141714432 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 755914244096\sqrt{13} + 1142812688854454141714432 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 1511828488192\sqrt{13}x^2y^2 + 4571250755417816566857728x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 1511828488192\sqrt{13} + 4571250755417816566857728 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 1511828488192\sqrt{13} + 4571250755417816566857728 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 3023656976384\sqrt{13}x^2y^2 + 18285003021671266267430912x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 3023656976384\sqrt{13} + 18285003021671266267430912 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 3023656976384\sqrt{13} + 18285003021671266267430912 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 6047313952768\sqrt{13}x^2y^2 + 73140012086685065069723648x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 6047313952768\sqrt{13} + 73140012086685065069723648 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 6047313952768\sqrt{13} + 73140012086685065069723648 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 12094627905536\sqrt{13}x^2y^2 + 292560048346740260278894592x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 12094627905536\sqrt{13} + 292560048346740260278894592 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 12094627905536\sqrt{13} + 292560048346740260278894592 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 24189255811072\sqrt{13}x^2y^2 + 1170240193386960401115578368x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 24189255811072\sqrt{13} + 1170240193386960401115578368 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 24189255811072\sqrt{13} + 1170240193386960401115578368 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 48378511622144\sqrt{13}x^2y^2 + 4680960773547841604462313472x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 48378511622144\sqrt{13} + 4680960773547841604462313472 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 48378511622144\sqrt{13} + 4680960773547841604462313472 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 96757023244288\sqrt{13}x^2y^2 + 18723843094191366417849253888x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 96757023244288\sqrt{13} + 18723843094191366417849253888 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 96757023244288\sqrt{13} + 18723843094191366417849253888 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 193514046488576\sqrt{13}x^2y^2 + 74895372376765465671397015552x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 193514046488576\sqrt{13} + 74895372376765465671397015552 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

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„ $xy - 193514046488576\sqrt{13} + 74895372376765465671397015552 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 387028092977152\sqrt{13}x^2y^2 + 299581489507061862685588062208x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 387028092977152\sqrt{13} + 299581489507061862685588062208 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 387028092977152\sqrt{13} + 299581489507061862685588062208 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 774056185954304\sqrt{13}x^2y^2 + 1198325958028247450742352248832x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 774056185954304\sqrt{13} + 1198325958028247450742352248832 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 774056185954304\sqrt{13} + 1198325958028247450742352248832 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 1548112371908608\sqrt{13}x^2y^2 + 4793303832112989802969408995328x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 1548112371908608\sqrt{13} + 4793303832112989802969408995328 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 1548112371908608\sqrt{13} + 4793303832112989802969408995328 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 3096224743817216\sqrt{13}x^2y^2 + 19173215328451959211877635981312x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 3096224743817216\sqrt{13} + 19173215328451959211877635981312 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 3096224743817216\sqrt{13} + 19173215328451959211877635981312 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 6192449487634432\sqrt{13}x^2y^2 + 76692861313807836847510543925248x^2y^2 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Division durch x^2y^2 folgt:

„ $xy - 6192449487634432\sqrt{13} + 76692861313807836847510543925248 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Subtraktion der dritten Gleichung ergibt sich:

„ $xy - 6192449487634432\sqrt{13} + 76692861313807836847510543925248 = \frac{1296 - 792\sqrt{13} + 1573}{36x^2y^2} - \frac{36}{xy} - 36$ “.

Durch Quadrieren folgt:

„ $x^2y^2 - 12384898975268864\sqrt{13}x^2y^2 + 306771445255231347390042175700992x^2y^2 = \frac

"Wedex Bruce Inc. 2 lb ~ 100 ~ 1 Pfd. @ 95:
"Cmfsvc ~ = 1 ~ 95 ~ 1 Pfd. @ 95

Ich bin ein Mann, der sich nicht leicht ärgert. Aber wenn ich mich ärgere, dann ärgere ich mich auch.

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ვეფხისტყაოსანი, ვისაც ეს ლექსი ეკუთვნის, ამ ლექსის ავტორი ვერ იქნება. ეს ლექსი ეკუთვნის ვინმე ისეთ პოეტს, რომელიც ვეფხისტყაოსნის ენას ვერ ფლობდა. ეს ლექსი ეკუთვნის ვინმე ისეთ პოეტს, რომელიც ვეფხისტყაოსნის ენას ვერ ფლობდა. ეს ლექსი ეკუთვნის ვინმე ისეთ პოეტს, რომელიც ვეფხისტყაოსნის ენას ვერ ფლობდა.

ამ ლექსის ავტორი ვერ იქნება. ეს ლექსი ეკუთვნის ვინმე ისეთ პოეტს, რომელიც ვეფხისტყაოსნის ენას ვერ ფლობდა. ეს ლექსი ეკუთვნის ვინმე ისეთ პოეტს, რომელიც ვეფხისტყაოსნის ენას ვერ ფლობდა. ეს ლექსი ეკუთვნის ვინმე ისეთ პოეტს, რომელიც ვეფხისტყაოსნის ენას ვერ ფლობდა.

٥٩٠٩

٢ مرتبة الأعداد الصحيحة الموجبة والسالبة والصفر ... ٢ ٢ ٢

„Hvem, der vil, kan have Lov til at gaa ind og ud af Porten, naar den staar aaben, og Ingen kan forbyde ham det, saa længe han ikke gør Nogen Fortræd eller Skade. Men den, der vil gaa ind i Haven, maa ikke gaa ind ad Porten, men maa klatre over Gjærdet, thi ellers kan han let gøre Skade paa Træerne og Blomsterne, som Ejeren har plantet og passer med Omhyggelighed. Den, der vil gaa ind i Haven, er Jesus Kristus, Porten er Bibelen, og de, der vil klatre over Gjærdet, ere de falske Lærere, som ikke ville gaa ind ad Bibelens Porte, men ville lære Folk noget andet, end det, som Bibelen lærer.

Q 10.9

ministeriam: ad sacerdotium pertinens.

Ministrabant: 1 Reg. 8, 11. 2 Par. 5, 14. 29, 11. Esdr. 1, 5. 7, 7. Ezech. 44, 11. Dan. 7, 10. Hebr. 1, 14.

Ministrant: 2 Par. 29, 28. Esdr. 3, 9. Ezech. 40, 46. 44, 11. 45, 4. Joel 1, 9. 13. 2, 17. Hebr. 10, 11.

Ministrat: Ezech. 44, 11. Hebr. 8, 2.

Ministrent: Ezech. 44, 12.

Ministrum: Ezech. 44, 11. Hebr. 8, 6.

Ministrus: Ezech. 44, 11.

Minor: Gen. 19, 20. 1 Reg. 3, 7. Esth. 1, 20. Matth. 11, 11. Luc. 7, 28. 9, 48. 22, 26. Rom. 15, 8. Hebr. 7, 7.

Minorabitur: Gen. 49, 19.

Minoratus: Ps. 8, 6. Hebr. 2, 7. 9.

Minorem: Gen. 25, 23. 1 Reg. 15, 17. Matth. 23, 11. Luc. 22, 26.

Minores: Gen. 10, 21. 1 Par. 26, 6. Ezech. 43, 14. 20. Matth. 5, 19. 25, 40. 45. Luc. 9, 48. Hebr. 7, 7.

Minoribus: Gen. 9, 24. 1 Par. 26, 12. Matth. 25, 40. 45.

Minorum: Gen. 19, 31. 34. 1 Par. 24, 31. 25, 8. 26, 13. Matth. 5, 19.

Minus: Gen. 32, 10. Exod. 16, 18. Num. 11, 32. Deut. 25, 3. 1 Reg. 2, 30. 15, 17. 2 Par. 25, 9. Esth. 2, 18. Job 15, 11. 22, 25. 33, 12. Ps. 8, 6. 61, 10. 72, 2. 118, 141. Eccle. 10, 1. Isai. 10, 19. 16, 14. 21, 16. 60, 22. Jer. 30, 19. Ezech. 5, 6. 16, 47. Dan. 2, 39. Amos 7, 2. 5. Abd. 2. Mich. 5, 2. Matth. 11, 11. Luc. 7, 28. 9, 48. 22, 26. Joan. 14, 28. Rom. 15, 8. 1 Cor. 15, 9. Gal. 4, 1. Hebr. 2, 7. 9. 7, 7. Apoc. 2, 5.

Minuam: Exod. 5, 8. Lev. 25, 16. Num. 33, 54. Deut. 4, 2. Ezech. 5, 11. 16, 27. 29, 15. Mich. 6, 10.

Minuat: Ezech. 45, 9.

Minuatur: Exod. 5, 11. Num. 14, 12. Deut. 7, 22. Ezech. 5, 11. 16, 27. 29, 15. Mich. 6, 10.

Minuent: Ezech. 45, 10.

Minuere: Exod. 5, 19. Lev. 25, 16. Num. 33, 54. Deut. 4, 2. Ezech. 45, 9.

Minuet: Ezech. 45, 10.

Minuetur: Exod. 5, 8. Num. 14, 12. Deut. 7, 22. Ezech. 5, 11. 16, 27. 29, 15. Mich. 6, 10.

Minuit: Exod. 5, 19. Num. 11, 33. Deut. 25, 3. Ezech. 45, 9.

Minuitur: Num. 17, 5. Ezech. 45, 10.

Minuta: Exod. 30, 36. Lev. 2, 2. 16. 5, 11. 6, 15. 23, 14. Num. 5, 15. 26. 6, 15. 11, 8. 15, 4. 9. 28, 5. 12. 13. 20. 21. 29. 31. 29, 4. 10. 15. 37. Deut. 9, 21. 3 Reg. 7, 50. 4 Reg. 23, 4. 6. 1 Par. 23, 29. 28, 17. 2 Par. 4, 22. 7, 7. 29, 7. 35. 35, 13. Esdr. 1, 9. 2, 69. 8, 27. 30. 33. Neh. 7, 70. 72. 10, 33. Ps. 18, 11. Isai. 40, 15. 17. Jer. 52, 18. 19. Ezech. 45, 14. Amos 8, 5. Matth. 23, 23. Luc. 11, 42. Hebr. 9, 2.

Minutae: Num. 28, 13. Esdr. 8, 27. Ezech. 45, 14.

Minutal: Num. 28, 13.

Minutam: Num. 28, 5. 29, 4. 10. 15. 37. Esdr. 8, 27. Ezech. 45, 14.

Minutas: Num. 28, 13.

Minutis: Num. 28, 13.

Minutissimum: Num. 28, 5. 29, 4. 10. 15. 37. Esdr. 8, 27. Ezech. 45, 14.

„Wodurch bin ich so glücklich geworden, daß
ich Ihnen, Ihnen, Ihnen, Ihnen, Ihnen, Ihnen,

„ 2 ℔ 2 ℥ = 2 ℔ 2 ℥. “ ao:

b) 2 ℔ 2 ℥. ℔.

„ 2 ℔ 1 ℥ = 2 ℔ 2 ℥. “ ao:

a) 2 ℔ 2 ℥ 2 ʒ. ℔.

„ 2 ℔ 1 ℥ = 2 ℔ 2 ℥. “ ao:

a) 2 ℔ 2 ℥ 2 ʒ. ℔.

Hjelmslev, L., Principes de grammaire générale, A. D. Host & Søn, København, 1928. 8°. 158 pp. — Rec. by A. Sommerfelt, NTS. 4 (1931), 58–65.

Dr. J.

Det kgl. Bibliotek, København.

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" ٣٣٠ ٦ ٧ ٨ ٩ ١٠ ١١ ١٢ ١٣ ١٤ ١٥ ١٦ ١٧ ١٨ ١٩ ٢٠ ٢١ ٢٢ ٢٣ ٢٤ ٢٥ ٢٦ ٢٧ ٢٨ ٢٩ ٣٠ ٣١ ٣٢ ٣٣ ٣٤ ٣٥ ٣٦ ٣٧ ٣٨ ٣٩ ٤٠ ٤١ ٤٢ ٤٣ ٤٤ ٤٥ ٤٦ ٤٧ ٤٨ ٤٩ ٥٠ ٥١ ٥٢ ٥٣ ٥٤ ٥٥ ٥٦ ٥٧ ٥٨ ٥٩ ٦٠ ٦١ ٦٢ ٦٣ ٦٤ ٦٥ ٦٦ ٦٧ ٦٨ ٦٩ ٧٠ ٧١ ٧٢ ٧٣ ٧٤ ٧٥ ٧٦ ٧٧ ٧٨ ٧٩ ٨٠ ٨١ ٨٢ ٨٣ ٨٤ ٨٥ ٨٦ ٨٧ ٨٨ ٨٩ ٩٠ ٩١ ٩٢ ٩٣ ٩٤ ٩٥ ٩٦ ٩٧ ٩٨ ٩٩ ١٠٠ ١٠١ ١٠٢ ١٠٣ ١٠٤ ١٠٥ ١٠٦ ١٠٧ ١٠٨ ١٠٩ ١١٠ ١١١ ١١٢ ١١٣ ١١٤ ١١٥ ١١٦ ١١٧ ١١٨ ١١٩ ١٢٠ ١٢١ ١٢٢ ١٢٣ ١٢٤ ١٢٥ ١٢٦ ١٢٧ ١٢٨ ١٢٩ ١٣٠ ١٣١ ١٣٢ ١٣٣ ١٣٤ ١٣٥ ١٣٦ ١٣٧ ١٣٨ ١٣٩ ١٤٠ ١٤١ ١٤٢ ١٤٣ ١٤٤ ١٤٥ ١٤٦ ١٤٧ ١٤٨ ١٤٩ ١٥٠ ١٥١ ١٥٢ ١٥٣ ١٥٤ ١٥٥ ١٥٦ ١٥٧ ١٥٨ ١٥٩ ١٦٠ ١٦١ ١٦٢ ١٦٣ ١٦٤ ١٦٥ ١٦٦ ١٦٧ ١٦٨ ١٦٩ ١٧٠ ١٧١ ١٧٢ ١٧٣ ١٧٤ ١٧٥ ١٧٦ ١٧٧ ١٧٨ ١٧٩ ١٨٠ ١٨١ ١٨٢ ١٨٣ ١٨٤ ١٨٥ ١٨٦ ١٨٧ ١٨٨ ١٨٩ ١٩٠ ١٩١ ١٩٢ ١٩٣ ١٩٤ ١٩٥ ١٩٦ ١٩٧ ١٩٨ ١٩٩ ٢٠٠ ٢٠١ ٢٠٢ ٢٠٣ ٢٠٤ ٢٠٥ ٢٠٦ ٢٠٧ ٢٠٨ ٢٠٩ ٢١٠ ٢١١ ٢١٢ ٢١٣ ٢١٤ ٢١٥ ٢١٦ ٢١٧ ٢١٨ ٢١٩ ٢٢٠ ٢٢١ ٢٢٢ ٢٢٣ ٢٢٤ ٢٢٥ ٢٢٦ ٢٢٧ ٢٢٨ ٢٢٩ ٢٣٠ ٢٣١ ٢٣٢ ٢٣٣ ٢٣٤ ٢٣٥ ٢٣٦ ٢٣٧ ٢٣٨ ٢٣٩ ٢٤٠ ٢٤١ ٢٤٢ ٢٤٣ ٢٤٤ ٢٤٥ ٢٤٦ ٢٤٧ ٢٤٨ ٢٤٩ ٢٥٠ ٢٥١ ٢٥٢ ٢٥٣ ٢٥٤ ٢٥٥ ٢٥٦ ٢٥٧ ٢٥٨ ٢٥٩ ٢٦٠ ٢٦١ ٢٦٢ ٢٦٣ ٢٦٤ ٢٦٥ ٢٦٦ ٢٦٧ ٢٦٨ ٢٦٩ ٢٧٠ ٢٧١ ٢٧٢ ٢٧٣ ٢٧٤ ٢٧٥ ٢٧٦ ٢٧٧ ٢٧٨ ٢٧٩ ٢٨٠ ٢٨١ ٢٨٢ ٢٨٣ ٢٨٤ ٢٨٥ ٢٨٦ ٢٨٧ ٢٨٨ ٢٨٩ ٢٩٠ ٢٩١ ٢٩٢ ٢٩٣ ٢٩٤ ٢٩٥ ٢٩٦ ٢٩٧ ٢٩٨ ٢٩٩ ٣٠٠ ٣٠١ ٣٠٢ ٣٠٣ ٣٠٤ ٣٠٥ ٣٠٦ ٣٠٧ ٣٠٨ ٣٠٩ ٣١٠ ٣١١ ٣١٢ ٣١٣ ٣١٤ ٣١٥ ٣١٦ ٣١٧ ٣١٨ ٣١٩ ٣٢٠ ٣٢١ ٣٢٢ ٣٢٣ ٣٢٤ ٣٢٥ ٣٢٦ ٣٢٧ ٣٢٨ ٣٢٩ ٣٣٠ ٣٣١ ٣٣٢ ٣٣٣ ٣٣٤ ٣٣٥ ٣٣٦ ٣٣٧ ٣٣٨ ٣٣٩ ٣٤٠ ٣٤١ ٣٤٢ ٣٤٣ ٣٤٤ ٣٤٥ ٣٤٦ ٣٤٧ ٣٤٨ ٣٤٩ ٣٥٠ ٣٥١ ٣٥٢ ٣٥٣ ٣٥٤ ٣٥٥ ٣٥٦ ٣٥٧ ٣٥٨ ٣٥٩ ٣٦٠ ٣٦١ ٣٦٢ ٣٦٣ ٣٦٤ ٣٦٥ ٣٦٦ ٣٦٧ ٣٦٨ ٣٦٩ ٣٧٠ ٣٧١ ٣٧٢ ٣٧٣ ٣٧٤ ٣٧٥ ٣٧٦ ٣٧٧ ٣٧٨ ٣٧٩ ٣٨٠ ٣٨١ ٣٨٢ ٣٨٣ ٣٨٤ ٣٨٥ ٣٨٦ ٣٨٧ ٣٨٨ ٣٨٩ ٣٩٠ ٣٩١ ٣٩٢ ٣٩٣ ٣٩٤ ٣٩٥ ٣٩٦ ٣٩٧ ٣٩٨ ٣٩٩ ٤٠٠ ٤٠١ ٤٠٢ ٤٠٣ ٤٠٤ ٤٠٥ ٤٠٦ ٤٠٧ ٤٠٨ ٤٠٩ ٤١٠ ٤١١ ٤١٢ ٤١٣ ٤١٤ ٤١٥ ٤١٦ ٤١٧ ٤١٨ ٤١٩ ٤٢٠ ٤٢١ ٤٢٢ ٤٢٣ ٤٢٤ ٤٢٥ ٤٢٦ ٤٢٧ ٤٢٨ ٤٢٩ ٤٣٠ ٤٣١ ٤٣٢ ٤٣٣ ٤٣٤ ٤٣٥ ٤٣٦ ٤٣٧ ٤٣٨ ٤٣٩ ٤٤٠ ٤٤١ ٤٤٢ ٤٤٣ ٤٤٤ ٤٤٥ ٤٤٦ ٤٤٧ ٤٤٨ ٤٤٩ ٤٥٠ ٤٥١ ٤٥٢ ٤٥٣ ٤٥٤ ٤٥٥ ٤٥٦ ٤٥٧ ٤٥٨ ٤٥٩ ٤٦٠ ٤٦١ ٤٦٢ ٤٦٣ ٤٦٤ ٤٦٥ ٤٦٦ ٤٦٧ ٤٦٨ ٤٦٩ ٤٧٠ ٤٧١ ٤٧٢ ٤٧٣ ٤٧٤ ٤٧٥ ٤٧٦ ٤٧٧ ٤٧٨ ٤٧٩ ٤٨٠ ٤٨١ ٤٨٢ ٤٨٣ ٤٨٤ ٤٨٥ ٤٨٦ ٤٨٧ ٤٨٨ ٤٨٩ ٤٩٠ ٤٩١ ٤٩٢ ٤٩٣ ٤٩٤ ٤٩٥ ٤٩٦ ٤٩٧ ٤٩٨ ٤٩٩ ٥٠٠ ٥٠١ ٥٠٢ ٥٠٣ ٥٠٤ ٥٠٥ ٥٠٦ ٥٠٧ ٥٠٨ ٥٠٩ ٥١٠ ٥١١ ٥١٢ ٥١٣ ٥١٤ ٥١٥ ٥١٦ ٥١٧ ٥١٨ ٥١٩ ٥٢٠ ٥٢١ ٥٢٢ ٥٢٣ ٥٢٤ ٥٢٥ ٥٢٦ ٥٢٧ ٥٢٨ ٥٢٩ ٥٣٠ ٥٣١ ٥٣٢ ٥٣٣ ٥٣٤ ٥٣٥ ٥٣٦ ٥٣٧ ٥٣٨ ٥٣٩ ٥٤٠ ٥٤١ ٥٤٢ ٥٤٣ ٥٤٤ ٥٤٥ ٥٤٦ ٥٤٧ ٥٤٨ ٥٤٩ ٥٥٠ ٥٥١ ٥٥٢ ٥٥٣ ٥٥٤ ٥٥٥ ٥٥٦ ٥٥٧ ٥٥٨ ٥٥٩ ٥٦٠ ٥٦١ ٥٦٢ ٥٦٣ ٥٦٤ ٥٦٥ ٥٦٦ ٥٦٧ ٥٦٨ ٥٦٩ ٥٧٠ ٥٧١ ٥٧٢ ٥٧٣ ٥٧٤ ٥٧٥ ٥٧٦ ٥٧٧ ٥٧٨ ٥٧٩ ٥٨٠ ٥٨١ ٥٨٢ ٥٨٣ ٥٨٤ ٥٨٥ ٥٨٦ ٥٨٧ ٥٨٨ ٥٨٩ ٥٩٠ ٥٩١ ٥٩٢ ٥٩٣ ٥٩٤ ٥٩٥ ٥٩٦ ٥٩٧ ٥٩٨ ٥٩٩ ٦٠٠ ٦٠١ ٦٠٢ ٦٠٣ ٦٠٤ ٦٠٥ ٦٠٦ ٦٠٧ ٦٠٨ ٦٠٩ ٦١٠ ٦١١ ٦١٢ ٦١٣ ٦١٤ ٦١٥ ٦١٦ ٦١٧ ٦١٨ ٦١٩ ٦٢٠ ٦٢١ ٦٢٢ ٦٢٣ ٦٢٤ ٦٢٥ ٦٢٦ ٦٢٧ ٦٢٨ ٦٢٩ ٦٣٠ ٦٣١ ٦٣٢ ٦٣٣ ٦٣٤ ٦٣٥ ٦٣٦ ٦٣٧ ٦٣٨ ٦٣٩ ٦٤٠ ٦٤١ ٦٤٢ ٦٤٣ ٦٤٤ ٦٤٥ ٦٤٦ ٦٤٧ ٦٤٨ ٦٤٩ ٦٥٠ ٦٥١ ٦٥٢ ٦٥٣ ٦٥٤ ٦٥٥ ٦٥٦ ٦٥٧ ٦٥٨ ٦٥٩ ٦٦٠ ٦٦١ ٦٦٢ ٦٦٣ ٦٦٤ ٦٦٥ ٦٦٦ ٦٦٧ ٦٦٨ ٦٦٩ ٦٧٠ ٦٧١ ٦٧٢ ٦٧٣ ٦٧٤ ٦٧٥ ٦٧٦ ٦٧٧ ٦٧٨ ٦٧٩ ٦٨٠ ٦٨١ ٦٨٢ ٦٨٣ ٦٨٤ ٦٨٥ ٦٨٦ ٦٨٧ ٦٨٨ ٦٨٩ ٦٩٠ ٦٩١ ٦٩٢ ٦٩٣ ٦٩٤ ٦٩٥ ٦٩٦ ٦٩٧ ٦٩٨ ٦٩٩ ٧٠٠ ٧٠١ ٧٠٢ ٧٠٣ ٧٠٤ ٧٠٥ ٧٠٦ ٧٠٧ ٧٠٨ ٧٠٩ ٧١٠ ٧١١ ٧١٢ ٧١٣ ٧١٤ ٧١٥ ٧١٦ ٧١٧ ٧١٨ ٧١٩ ٧٢٠ ٧٢١ ٧٢٢ ٧٢٣ ٧٢٤ ٧٢٥ ٧٢٦ ٧٢٧ ٧٢٨ ٧٢٩ ٧٣٠ ٧٣١ ٧٣٢ ٧٣٣ ٧٣٤ ٧٣٥ ٧٣٦ ٧٣٧ ٧٣٨ ٧٣٩ ٧٤٠ ٧٤١ ٧٤٢ ٧٤٣ ٧٤٤ ٧٤٥ ٧٤٦ ٧٤٧ ٧٤٨ ٧٤٩ ٧٥٠ ٧٥١ ٧٥٢ ٧٥٣ ٧٥٤ ٧٥٥ ٧٥٦ ٧٥٧ ٧٥٨ ٧٥٩ ٧٦٠ ٧٦١ ٧٦٢ ٧٦٣ ٧٦٤ ٧٦٥ ٧٦٦ ٧٦٧ ٧٦٨ ٧٦٩ ٧٧٠ ٧٧١ ٧٧٢ ٧٧٣ ٧٧٤ ٧٧٥ ٧٧٦ ٧٧٧ ٧٧٨ ٧٧٩ ٧٨٠ ٧٨١ ٧٨٢ ٧٨٣ ٧٨٤ ٧٨٥ ٧٨٦ ٧٨٧ ٧٨٨ ٧٨٩ ٧٩٠ ٧٩١ ٧٩٢ ٧٩٣ ٧٩٤ ٧٩٥ ٧٩٦ ٧٩٧ ٧٩٨ ٧٩٩ ٨٠٠ ٨٠١ ٨٠٢ ٨٠٣ ٨٠٤ ٨٠٥ ٨٠٦ ٨٠٧ ٨٠٨ ٨٠٩ ٨١٠ ٨١١ ٨١٢ ٨١٣ ٨١٤ ٨١٥ ٨١٦ ٨١٧ ٨١٨ ٨١٩ ٨٢٠ ٨٢١ ٨٢٢ ٨٢٣ ٨٢٤ ٨٢٥ ٨٢٦ ٨٢٧ ٨٢٨ ٨٢٩ ٨٣٠ ٨٣١ ٨٣٢ ٨٣٣ ٨٣٤ ٨٣٥ ٨٣٦ ٨٣٧ ٨٣٨ ٨٣٩ ٨٤٠ ٨٤١ ٨٤٢ ٨٤٣ ٨٤٤ ٨٤٥ ٨٤٦ ٨٤٧ ٨٤٨ ٨٤٩ ٨٥٠ ٨٥١ ٨٥٢ ٨٥٣ ٨٥٤ ٨٥٥ ٨٥٦ ٨٥٧ ٨٥٨ ٨٥٩ ٨٦٠ ٨٦١ ٨٦٢ ٨٦٣ ٨٦٤ ٨٦٥ ٨٦٦ ٨٦٧ ٨٦٨ ٨٦٩ ٨٧٠ ٨٧١ ٨٧٢ ٨٧٣ ٨٧٤ ٨٧٥ ٨٧٦ ٨٧٧ ٨٧٨ ٨٧٩ ٨٨٠ ٨٨١ ٨٨٢ ٨٨٣ ٨٨٤ ٨٨٥ ٨٨٦ ٨٨٧ ٨٨٨ ٨٨٩ ٨٩٠ ٨٩١ ٨٩٢ ٨٩٣ ٨٩٤ ٨٩٥ ٨٩٦ ٨٩٧ ٨٩٨ ٨٩٩ ٩٠٠ ٩٠١ ٩٠٢ ٩٠٣ ٩٠٤ ٩٠٥ ٩٠٦ ٩٠٧ ٩٠٨ ٩٠٩ ٩١٠ ٩١١ ٩١٢ ٩١٣ ٩١٤ ٩١٥ ٩١٦ ٩١٧ ٩١٨ ٩١٩ ٩٢٠ ٩٢١ ٩٢٢ ٩٢٣ ٩٢٤ ٩٢٥ ٩٢٦ ٩٢٧ ٩٢٨ ٩٢٩ ٩٣٠ ٩٣١ ٩٣٢ ٩٣٣ ٩٣٤ ٩٣٥ ٩٣٦ ٩٣٧ ٩٣٨ ٩٣٩ ٩٤٠ ٩٤١ ٩٤٢ ٩٤٣ ٩٤٤ ٩٤٥ ٩٤٦ ٩٤٧ ٩٤٨ ٩٤٩ ٩٥٠ ٩٥١ ٩٥٢ ٩٥٣ ٩٥٤ ٩٥٥ ٩٥٦ ٩٥٧ ٩٥٨ ٩٥٩ ٩٦٠ ٩٦١ ٩٦٢ ٩٦٣ ٩٦٤ ٩٦٥ ٩٦٦ ٩٦٧ ٩٦٨ ٩٦٩ ٩٧٠ ٩٧١ ٩٧٢ ٩٧٣ ٩٧٤ ٩٧٥ ٩٧٦ ٩٧٧ ٩٧٨ ٩٧٩ ٩٨٠ ٩٨١ ٩٨٢ ٩٨٣ ٩٨٤ ٩٨٥ ٩٨٦ ٩٨٧ ٩٨٨ ٩٨٩ ٩٩٠ ٩٩١ ٩٩٢ ٩٩٣ ٩٩٤ ٩٩٥ ٩٩٦ ٩٩٧ ٩٩٨ ٩٩٩ ١٠٠٠ ١٠٠١ ١٠٠٢ ١٠٠٣ ١٠٠٤ ١٠٠٥ ١٠٠٦ ١٠٠٧ ١٠٠٨ ١٠٠٩ ١٠١٠ ١٠١١ ١٠١٢ ١٠١٣ ١٠١٤ ١٠١٥ ١٠١٦ ١٠١٧ ١٠١٨ ١٠١٩ ١٠٢٠ ١٠٢١ ١٠٢٢ ١٠٢٣ ١٠٢٤ ١٠٢٥ ١٠٢٦ ١٠٢٧ ١٠٢٨ ١٠٢٩ ١٠٣٠ ١٠٣١ ١٠٣٢ ١٠٣٣ ١٠٣٤ ١٠٣٥ ١٠٣٦ ١٠٣٧ ١٠٣٨ ١٠٣٩ ١٠٤٠ ١٠٤١ ١٠٤٢ ١٠٤٣ ١٠٤٤ ١٠٤٥ ١٠٤٦ ١٠٤٧ ١٠٤٨ ١٠٤٩ ١٠٥٠ ١٠٥١ ١٠٥٢ ١٠٥٣ ١٠٥٤ ١٠٥٥ ١٠٥٦ ١٠٥٧ ١٠٥٨ ١٠٥٩ ١٠٦٠ ١٠٦١ ١٠٦٢ ١٠٦٣ ١٠٦٤ ١٠٦٥ ١٠٦٦ ١٠٦٧ ١٠٦٨ ١٠٦٩ ١٠٧٠ ١٠٧١ ١٠٧٢ ١٠٧٣ ١٠٧٤ ١٠٧٥ ١٠٧٦ ١٠٧٧ ١٠٧٨ ١٠٧٩ ١٠٨٠ ١٠٨١ ١٠٨٢ ١٠٨٣ ١٠٨٤ ١٠٨٥ ١٠٨٦ ١٠٨٧ ١٠٨٨ ١٠٨٩ ١٠٩٠ ١٠٩١ ١٠٩٢ ١٠٩٣ ١٠٩٤ ١٠٩٥ ١٠٩٦ ١٠٩٧ ١٠٩٨ ١٠٩٩ ١١٠٠ ١١٠١ ١١٠٢ ١١٠٣ ١١٠٤ ١١٠٥ ١١٠٦ ١١٠٧ ١١٠٨ ١١٠٩ ١١١٠ ١١١١ ١١١٢ ١١١٣ ١١١٤ ١١١٥ ١١١٦ ١١١٧ ١١١٨ ١١١٩ ١١٢٠ ١١٢١ ١١٢٢ ١١٢٣ ١١٢٤ ١١٢٥ ١١٢٦ ١١٢٧ ١١٢٨ ١١٢٩ ١١٣٠ ١١٣١ ١١٣٢ ١١٣٣ ١١٣٤ ١١٣٥ ١١٣٦ ١١٣٧ ١١٣٨ ١١٣٩ ١١٤٠ ١١٤١ ١١٤٢ ١١٤٣ ١١٤٤ ١١٤٥ ١١٤٦ ١١٤٧ ١١٤٨ ١١٤٩ ١١٥٠ ١١٥١ ١١٥٢ ١١٥٣ ١١٥٤ ١١٥٥ ١١٥٦ ١١٥٧ ١١٥٨ ١١٥٩ ١١٦٠ ١١٦١ ١١٦٢ ١١٦٣ ١١٦٤ ١١٦٥ ١١٦٦ ١١٦٧ ١١٦٨ ١١٦٩ ١١٧٠ ١١٧١ ١١٧٢ ١١٧٣ ١١٧٤ ١١٧٥ ١١٧٦ ١١٧٧ ١١٧٨ ١١٧٩ ١١٨٠ ١١٨١ ١١٨٢ ١١٨٣ ١١٨٤ ١١٨٥ ١١٨٦ ١١٨٧ ١١٨٨ ١١٨٩ ١١٩٠ ١١٩١ ١١٩٢ ١١٩٣ ١١٩٤ ١١٩٥ ١١٩٦ ١١٩٧ ١١٩٨ ١١٩٩ ١٢٠٠ ١٢٠١ ١٢٠٢ ١٢٠٣ ١٢٠٤ ١٢٠٥ ١٢٠٦ ١٢٠٧ ١٢٠٨ ١٢٠٩ ١٢١٠ ١٢١١ ١٢١٢ ١٢١٣ ١٢١٤ ١٢١٥ ١٢١٦ ١٢١٧ ١٢١٨ ١٢١٩ ١٢٢٠ ١٢٢١ ١٢٢٢ ١٢٢٣ ١٢٢٤ ١٢٢٥ ١٢٢٦ ١٢٢٧ ١٢٢٨ ١٢٢٩ ١٢٣٠ ١٢٣١ ١٢٣٢ ١٢٣٣ ١٢٣٤ ١٢٣٥ ١٢٣٦ ١٢٣٧ ١٢٣٨ ١٢٣٩ ١٢٤٠ ١٢٤١ ١٢٤٢ ١٢٤٣ ١٢٤٤ ١٢٤٥ ١٢٤٦ ١٢٤٧ ١٢٤٨ ١٢٤٩ ١٢٥٠ ١٢٥١ ١٢٥٢ ١٢٥٣ ١٢٥٤ ١٢٥٥ ١٢٥٦ ١٢٥٧ ١٢٥٨ ١٢٥٩ ١٢٦٠ ١٢٦١ ١٢٦٢ ١٢٦٣ ١٢٦٤ ١٢٦٥ ١٢٦٦ ١٢٦٧ ١٢٦٨ ١٢٦٩ ١٢٧٠ ١٢٧١ ١٢٧٢ ١٢٧٣ ١٢٧٤ ١٢٧٥ ١٢٧٦ ١٢٧٧ ١٢٧٨ ١٢٧٩ ١٢٨٠ ١٢٨١ ١٢٨٢ ١٢٨٣ ١٢٨٤ ١٢٨٥ ١٢٨٦ ١٢٨٧ ١٢٨٨ ١٢٨٩ ١٢٩٠ ١٢٩١ ١٢٩٢ ١٢٩٣ ١٢٩٤ ١٢٩٥ ١٢٩٦ ١٢٩٧ ١٢٩٨ ١٢٩٩ ١٣٠٠ ١٣٠١ ١٣٠٢ ١٣٠٣ ١٣٠٤ ١٣٠٥ ١٣٠٦ ١٣٠٧ ١٣٠٨ ١٣٠٩ ١٣١٠ ١٣١١ ١٣١٢ ١٣١٣ ١٣١٤ ١٣١٥ ١٣١٦ ١٣١٧ ١٣١٨ ١٣١٩ ١٣٢٠ ١٣٢١ ١٣٢٢ ١٣٢٣ ١٣٢٤ ١٣٢٥ ١٣٢٦ ١٣٢٧ ١٣٢٨ ١٣٢٩ ١٣٣٠ ١٣٣١ ١٣٣٢ ١٣٣٣ ١٣٣٤ ١٣٣٥ ١٣٣٦ ١٣٣٧ ١٣٣٨ ١٣٣٩ ١٣٤٠ ١٣٤١ ١٣٤٢ ١٣٤٣ ١٣٤٤ ١٣٤٥ ١٣٤٦ ١٣٤٧ ١٣٤٨ ١٣٤٩ ١٣٥٠ ١٣٥١ ١٣٥٢ ١٣٥٣ ١٣٥٤ ١٣٥٥ ١٣٥٦ ١٣٥٧ ١٣٥٨ ١٣٥٩ ١٣٦٠ ١٣٦١ ١٣٦٢ ١٣٦٣ ١٣٦٤ ١٣٦٥ ١٣٦٦ ١٣٦٧ ١٣٦٨ ١٣٦٩ ١٣٧٠ ١٣٧١ ١٣٧٢ ١٣٧٣ ١٣٧٤ ١٣٧٥ ١٣٧٦ ١٣٧٧ ١٣٧٨ ١٣٧٩ ١٣٨٠ ١٣٨١ ١٣٨٢ ١٣٨٣ ١٣٨٤ ١٣٨٥ ١٣٨٦ ١٣٨٧ ١٣٨٨ ١٣٨٩ ١٣٩٠ ١٣٩١ ١٣٩٢ ١٣٩٣ ١٣٩٤ ١٣٩٥ ١٣٩٦ ١٣٩٧ ١٣٩٨ ١٣٩٩ ١٤٠٠ ١٤٠١ ١٤٠٢ ١٤٠٣ ١٤٠٤ ١٤٠٥ ١٤٠٦ ١٤٠٧ ١٤٠٨ ١٤٠٩ ١٤١٠ ١٤١١ ١٤١٢ ١٤١٣ ١٤١٤ ١٤١٥ ١٤١٦ ١٤١٧ ١٤١٨ ١٤١٩ ١٤٢٠ ١٤٢١ ١٤٢٢ ١٤٢٣ ١٤٢٤ ١٤٢٥ ١٤٢٦ ١٤٢٧ ١٤٢٨ ١٤٢٩ ١٤٣٠ ١٤٣١ ١٤٣٢ ١٤٣٣ ١٤٣٤ ١٤٣٥ ١٤٣٦ ١٤٣٧ ١٤٣٨ ١٤٣٩ ١٤٤٠ ١٤٤١ ١٤٤٢ ١٤٤٣ ١٤٤٤ ١٤٤٥ ١٤٤٦ ١٤٤٧ ١٤٤٨ ١٤٤٩ ١٤٥٠ ١٤٥١ ١٤٥٢ ١٤٥٣ ١٤٥٤ ١٤٥٥ ١٤٥٦ ١٤٥٧ ١٤٥٨ ١٤٥٩ ١٤٦٠ ١٤٦١ ١٤٦٢ ١٤٦٣ ١٤٦٤ ١٤٦٥ ١٤٦٦ ١٤٦٧ ١٤٦٨ ١٤٦٩ ١٤٧٠ ١٤٧١ ١٤٧٢ ١٤٧٣ ١٤٧٤ ١٤٧٥ ١٤٧٦ ١٤٧٧ ١٤٧٨ ١٤٧٩ ١٤٨٠ ١٤٨١ ١٤٨٢ ١٤٨٣ ١٤٨٤ ١٤٨٥ ١٤٨٦ ١٤٨٧ ١٤٨٨ ١٤٨٩ ١٤٩٠ ١٤٩١ ١٤٩٢ ١٤٩٣ ١٤٩٤ ١٤٩٥ ١٤٩٦ ١٤٩٧ ١٤٩٨ ١٤٩٩ ١٥٠٠ ١٥٠١ ١٥٠٢ ١٥٠٣ ١٥٠٤ ١٥٠٥ ١٥٠٦ ١٥٠٧ ١٥٠٨ ١٥٠٩ ١٥١٠ ١٥١١ ١٥١٢ ١٥١٣ ١٥١٤ ١٥١٥ ١٥١٦ ١٥١٧ ١٥١٨ ١٥١٩ ١٥٢٠ ١٥٢١ ١٥٢٢ ١٥٢٣ ١٥٢٤ ١٥٢٥ ١٥٢٦ ١٥٢٧ ١٥٢٨ ١٥٢٩ ١٥٣٠ ١٥٣١ ١٥٣٢ ١٥٣٣ ١٥٣٤ ١٥٣٥ ١٥٣٦ ١٥٣٧ ١٥٣٨ ١٥٣٩ ١٥٤٠ ١٥٤١ ١٥٤٢ ١٥٤٣ ١٥٤٤ ١٥٤٥ ١٥٤٦ ١٥٤٧ ١٥٤٨ ١٥٤٩ ١٥٥٠ ١٥٥١ ١٥٥٢ ١٥٥٣ ١٥٥٤ ١٥٥٥ ١٥٥٦ ١٥٥٧ ١٥٥٨ ١٥٥٩ ١٥٦٠ ١٥٦١ ١٥٦٢ ١٥٦٣ ١٥٦٤ ١٥٦٥ ١٥٦٦ ١٥٦٧ ١٥٦٨ ١٥٦٩ ١٥٧٠ ١٥٧١ ١٥٧٢ ١٥٧٣ ١٥٧٤ ١٥٧٥ ١٥٧٦ ١٥٧٧ ١٥٧٨ ١٥٧٩ ١٥٨٠ ١٥٨١ ١٥٨٢ ١٥٨٣ ١٥٨٤ ١٥٨٥ ١٥٨٦ ١٥٨٧ ١٥٨٨ ١٥٨٩ ١٥٩٠ ١٥٩١ ١٥٩٢ ١٥٩٣ ١٥٩٤ ١٥٩٥ ١٥٩٦ ١٥٩٧ ١٥٩٨ ١٥٩٩ ١٦٠٠ ١٦٠١ ١٦٠٢ ١٦٠٣ ١٦٠٤ ١٦٠٥ ١٦٠٦ ١٦٠٧ ١٦٠٨ ١٦٠٩ ١٦١٠ ١٦١١ ١٦١٢ ١٦١٣ ١٦١٤ ١٦١٥ ١٦١٦ ١٦١٧ ١٦١٨ ١٦١٩ ١٦٢٠ ١٦٢١ ١٦٢٢ ١٦٢٣ ١٦٢٤ ١٦٢٥ ١٦٢٦ ١٦٢٧ ١٦٢٨ ١٦٢٩ ١٦٣٠ ١٦٣١ ١٦٣٢ ١٦٣٣ ١٦٣٤ ١٦٣٥ ١٦٣٦ ١٦٣٧ ١٦٣٨ ١٦٣٩ ١٦٤٠ ١٦٤١ ١٦٤٢ ١٦٤٣ ١٦٤٤ ١٦٤٥ ١٦٤٦ ١٦٤٧ ١٦٤٨ ١٦٤٩ ١٦٥٠ ١٦٥١ ١٦٥٢ ١٦٥٣ ١٦٥٤ ١٦٥٥ ١٦٥٦ ١٦٥٧ ١٦٥٨ ١٦٥٩ ١٦٦٠ ١٦٦١ ١٦٦٢ ١٦٦٣ ١٦٦٤ ١٦٦٥ ١٦٦٦ ١٦٦٧ ١٦٦٨ ١٦٦٩ ١٦٧٠ ١٦٧١ ١٦٧٢ ١٦٧٣ ١٦٧٤ ١٦٧٥ ١٦٧٦ ١٦٧٧ ١٦٧٨ ١٦٧٩ ١٦٨٠ ١٦٨١ ١٦٨٢ ١٦٨٣ ١٦٨٤ ١٦٨٥ ١٦٨٦ ١٦٨٧ ١٦٨٨ ١٦٨٩ ١٦٩٠ ١٦٩١ ١٦٩٢ ١٦٩٣ ١٦٩٤ ١٦٩٥ ١٦٩٦ ١٦٩٧ ١٦٩٨ ١٦٩٩ ١٧٠٠ ١٧٠١ ١٧٠٢ ١٧٠٣ ١٧٠٤ ١٧٠٥ ١٧٠٦ ١٧٠٧ ١٧٠٨ ١٧٠٩ ١٧١٠ ١٧١١ ١٧١٢ ١٧١٣ ١٧١٤ ١٧١٥ ١٧١٦ ١٧١٧ ١٧١٨ ١٧١٩ ١٧٢٠ ١٧٢١ ١٧٢٢ ١٧٢٣ ١٧٢٤ ١٧٢٥ ١٧٢٦ ١٧٢٧ ١٧٢٨ ١٧٢٩ ١٧٣٠ ١٧٣١ ١٧٣٢ ١٧٣٣ ١٧٣٤ ١٧٣٥ ١٧٣٦ ١٧٣٧ ١٧٣٨ ١٧٣٩ ١٧٤٠ ١٧٤١ ١٧٤٢ ١٧٤٣ ١٧٤٤ ١٧٤٥ ١٧٤٦ ١٧٤٧ ١٧٤٨ ١٧٤٩ ١٧٥٠ ١٧٥١ ١٧٥٢ ١٧٥٣ ١٧٥٤ ١٧٥٥ ١٧٥٦ ١٧٥٧ ١٧٥٨ ١٧٥٩ ١٧٦٠ ١٧٦١ ١٧٦٢ ١٧٦٣ ١٧٦٤ ١٧٦٥ ١٧٦٦ ١٧٦٧ ١٧٦٨ ١٧٦٩ ١٧٧٠ ١٧٧١ ١٧٧٢ ١٧٧٣ ١٧٧٤ ١٧٧٥ ١٧٧٦ ١٧٧٧ ١٧٧٨ ١٧٧٩ ١٧٨٠ ١٧٨١ ١٧٨٢ ١٧٨٣ ١٧٨٤ ١٧٨٥ ١٧٨٦ ١٧٨٧ ١٧٨٨ ١٧٨٩ ١٧٩٠ ١٧٩١ ١٧٩٢ ١٧٩٣ ١٧٩٤ ١٧٩٥ ١٧٩٦ ١٧٩٧ ١٧٩٨ ١٧٩٩ ١٨٠٠ ١٨٠١ ١٨٠٢ ١٨٠٣ ١٨٠٤ ١٨٠٥ ١٨٠٦ ١٨٠٧ ١٨٠٨ ١٨٠٩ ١٨١٠ ١٨١١ ١٨١٢ ١٨١٣ ١٨١٤ ١٨١٥ ١٨١٦ ١٨١٧ ١٨١٨ ١٨١٩ ١٨٢٠ ١٨٢١ ١٨٢٢ ١٨٢٣ ١٨٢٤ ١٨٢٥ ١٨٢٦ ١٨٢٧ ١٨٢٨ ١٨٢٩ ١٨٣٠ ١٨٣١ ١٨٣٢ ١٨٣٣ ١٨٣٤ ١٨٣٥ ١٨٣٦ ١٨٣٧ ١٨٣٨ ١٨٣٩ ١٨٤٠ ١٨٤١ ١٨٤٢ ١٨٤٣ ١٨٤٤ ١٨٤٥ ١٨٤٦ ١٨٤٧ ١٨٤٨ ١٨٤٩ ١٨٥٠ ١٨٥١ ١٨٥٢ ١٨٥٣ ١٨٥٤ ١٨٥٥ ١٨٥٦ ١٨٥٧ ١٨٥٨ ١٨٥٩ ١٨٦٠ ١٨٦١ ١٨٦٢ ١٨٦٣ ١٨٦٤ ١٨٦٥ ١٨٦٦ ١٨٦٧ ١٨٦٨ ١٨٦٩ ١٨٧٠ ١٨٧١ ١٨٧٢ ١٨٧٣ ١٨٧٤ ١٨٧٥ ١٨٧٦ ١٨٧٧ ١٨٧٨ ١٨٧٩ ١٨٨٠ ١٨٨١ ١٨٨٢ ١٨٨٣ ١٨٨٤ ١٨٨٥ ١٨٨٦ ١٨٨٧ ١٨٨٨ ١٨٨٩ ١٨٩٠ ١٨٩١ ١٨٩٢ ١٨٩٣ ١٨٩٤ ١٨٩٥ ١٨٩٦ ١٨٩٧ ١٨٩٨ ١٨٩٩ ١٩٠٠ ١٩٠١ ١٩٠٢ ١٩٠٣ ١٩٠٤ ١٩٠٥ ١٩٠٦ ١٩٠٧ ١٩٠٨ ١٩٠٩ ١٩١٠ ١٩١١ ١٩١٢ ١٩١٣ ١٩١٤ ١٩١٥ ١٩١٦ ١٩١٧ ١٩١٨ ١٩١٩ ١٩٢٠ ١٩٢١ ١٩٢٢ ١٩٢٣ ١٩٢٤ ١٩٢٥ ١٩٢٦ ١٩٢٧ ١٩٢٨ ١٩٢٩ ١٩٣٠ ١٩٣١ ١٩٣٢ ١٩٣٣ ١٩٣٤ ١٩٣٥ ١٩٣٦ ١٩٣٧ ١٩٣٨ ١٩٣٩ ١٩٤٠ ١٩٤١ ١٩٤٢ ١٩٤٣ ١٩٤٤ ١٩٤٥ ١٩٤٦ ١٩٤٧ ١٩٤٨ ١٩٤٩ ١٩٥٠ ١٩٥١ ١٩٥٢ ١٩٥٣ ١٩٥٤ ١٩٥٥ ١٩٥٦ ١٩٥٧ ١٩٥٨ ١٩٥٩ ١٩٦٠ ١٩٦١ ١٩٦٢ ١٩٦٣ ١٩٦٤ ١٩٦٥ ١٩٦٦ ١٩٦٧ ١٩٦٨ ١٩٦٩ ١٩٧٠ ١٩٧١ ١٩٧٢ ١٩٧٣ ١٩٧٤ ١٩٧٥ ١٩٧٦ ١٩٧٧

ومن هذا يظهر أن الأعداد الأولية التي تزيد على ٣ هي على الصورة ٦ن ± ١ ، وأن مربع كل عدد أولي يزيد على ٣ هو على الصورة ٢٤ن + ١ ، وأن مربع كل عدد أولي يزيد على ٥ هو على الصورة ٢٤ن + ١ ، وأن مربع كل عدد أولي يزيد على ٧ هو على الصورة ٢٤ن + ١ .

مسألة ٢ : كل عدد أولي يزيد على ٣ فهو على الصورة ٦ن ± ١ . وبالعكس ليس كل عدد على الصورة ٦ن ± ١ أولياً . مثلاً ٢٥ = ٦ × ٤ + ١ ، ولكن ٢٥ = ٥ × ٥ ليس أولياً .

„Ferner, daß [illegible] =

Q 10.9

Antonius: Quo tu nunc te confers, Pamphile?

Pamphilus: Ad forum, ut amicos, si quos ibi conveniam, rogem, ut mihi adsint.

Antonius: Ad quam rem? Nam ego hodie nihil habeo negotii.

Pamphilus: Ut mihi adsint, cum Glycerium in ius vocabo.

Antonius: Quid tibi cum illa mulier est?

Pamphilus: Quod me nolit uxorem ducere.

Antonius: Quid? Tu id credis?

Pamphilus: Ita me di ament, ut ego illam credo.

Antonius: Ain tandem? Tu Glycerium, meretricem, uxorem tibi credis fore

ئەگەر ئەلف، ب، ج، د چوار ژمارەی یەکسەر بن، ئەوا ئەلف ب، ج، د
بەشەکانی ب، ج، د ژمارەی یەکسەر دەبن.

بەڵگە: ئەگەر ئەلف ب، ج، د چوار ژمارەی یەکسەر بن، ئەوا
ئەلف ب، ج، د بەشەکانی ب، ج، د ژمارەی یەکسەر دەبن.

بەڵگە: ئەگەر ئەلف ب، ج، د چوار ژمارەی یەکسەر بن، ئەوا
ئەلف ب، ج، د بەشەکانی ب، ج، د ژمارەی یەکسەر دەبن.

بەڵگە: ئەگەر ئەلف ب، ج، د چوار ژمارەی یەکسەر بن، ئەوا
ئەلف ب، ج، د بەشەکانی ب، ج، د ژمارەی یەکسەر دەبن.

Q 12.)

Ist ABC ein gleichschenkliges Dreieck, und sind AD und BE zwei Seitenhalbirende desselben, so ist $\overline{AB}^2 = \frac{4}{3}(\overline{AD}^2 + \overline{BE}^2)$.

Beweis: Es sei $\overline{AB} = c$, $\overline{BC} = a$, $\overline{AC} = b$, $\overline{AD} = s_a$, $\overline{BE} = s_b$, $\overline{CF} = s_c$, $\overline{DE} = x$, $\overline{EF} = y$, $\overline{DF} = z$, $\overline{AE} = \overline{EC} = \frac{b}{2}$, $\overline{BD} = \overline{DC} = \frac{a}{2}$, $\overline{AF} = \overline{FB} = \frac{c}{2}$, $\overline{CD} = \frac{a}{2}$, $\overline{CE} = \frac{b}{2}

31/89 ... "...ונתנו לכם..." ...

...

...

(1) 13.

[illegible]

[illegible]

[illegible]

[illegible]

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Staatsbibliothek
Botanik

Bayerische
Staatsbibliothek
MÜNCHEN

BSB Bayerische StaatsBibliothek
MDZ Münchener DigitalisierungsZentrum Digitale Bibliothek

Gabelsberger, Franz Xaver,

Neue Vervollkommnungen in der deutschen Redezeichen-Kunst oder Stenographie

München 1843

Rar. 1969
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